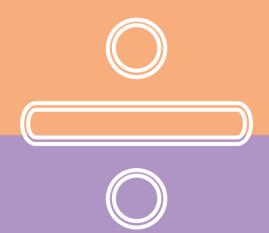
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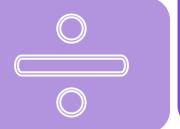
HOME LEARING

for year 6

Maths



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Section 1:

Number

- read, write, order and compare numbers up to 10,000,000 and determine the value of each digit
- round any whole number to a required degree of accuracy.

Look at the examples and answer the questions. If you are anxious, try questions 1-12. If you're feeling confident, try questions 1-15. If you're raring to go, try the challenge too!

Example 1 Example 2 a. Write in words the number 40,078. Round these numbers to the degree of b. Write down the new place value of the accuracy given in the brackets: 7 when this number is multiplied by a. 6835 (nearest 1000) b. 4723 (nearest 100) ten. c. 14,924 (nearest 10) = thousand **Answers Answers** Th. a. Ten Th. Hu. Tens Ones a. 6835 → 7000 4 0, 7 8

b. 40,078 forty thousand and seventy eight.

 $40,078 \times 10 = 400,780$. The **7** represents **7 hundred**.

b. 4723 → 4700c. 14,924 → 14,920

Write in words:

1.	1523		
2.	8071		
3.	17,080		
4.	8,230,050		

Write in figures:

5. Six thousand, seven hundred and two
6. Twelve thousand, five hundred and eighty
7. Half of a million
8. Ten million, fifty thousand and one hundred

roi e	action the follow	ing numbers, wit	ite down the place value of 9.
9.	1943	\longrightarrow	
10.	90,500		
11.	9,154,000		
12.	94 × 10	\longrightarrow	

Round the following numbers to the degree of accuracy indicated in the brackets:

		Write your answers in the spaces below		
13.	8473	(nearest 100)	(nearest 1000)	
14.	19,637	(nearest 1000)	(nearest 10)	
15.	203,848	(nearest 10)	(nearest 100)	

Challenge

Using the following digit cards write down:

- 1. The largest five-digit number.
- 2. A three-digit number which has a tens digit that is double the hundreds digit.
- 3. A 5-digit number that rounds to sixty thousand.
- 4. A 4-digit number that rounds to five thousand.
- 5. A number that rounds to one hundred thousand.
- 6. All the numbers round to ninety.
- 7. The smallest 3-digit number where the hundreds digit is treble the units digit.

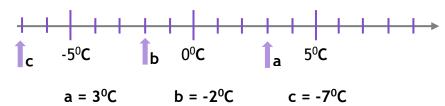
Answer

use negative numbers in context, and calculate intervals across
0.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-9. If you're raring to go, try the challenge too!

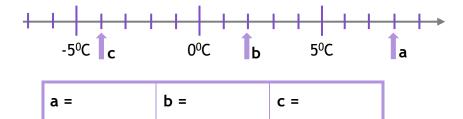
Examples

a. Write down the temperature indicated by the arrows below.

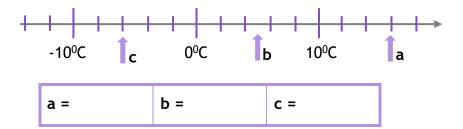


- b. What is the difference between the temperatures given by c and a above?

 Counting up from -7 to 3 takes 10 steps so the difference is 10°C.
- 1. Write down the temperature indicated by the arrows below.

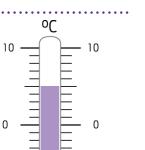


2. Write down the temperature indicated by the arrows below.

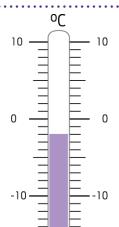


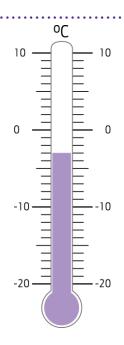
3. Write down the temperatures indicated on the thermometers below.

oC.



oC





4. The negative number for today is

4 more a.

b.

- 20 more c.

2 less

d. 20 less

0C

6. What temperature is 15 degrees lower than 8°C?

it rose by 15°C. What is the new temperature?

- ^{0}C
- 7. The temperature rises by 17 degrees from -9°C. What is the new temperature?

5. The temperature in Madrid overnight is -7°C. During the morning

0C

- 8. The temperature in New York at 8am is -2°C.
 - a. By 2pm the temperature has risen by 14°C. What is the temperature at 2pm?

00

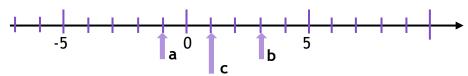
- b. Overnight the temperature drops to -6°C. How many degrees did it fall by?
- 0C
- c. On another occasion, the lowest temperature was -8°C and the highest was 11°C. What is the difference between these temperatures?

9. Complete the following sequences:

- a. 1 7
- b. 2 6 10
- c. 2 8 14

Challenge

On the diagram, we can see that c is *halfway* between points a and b. It is worth 1.



Find the number that is halfway between the following pairs of numbers:

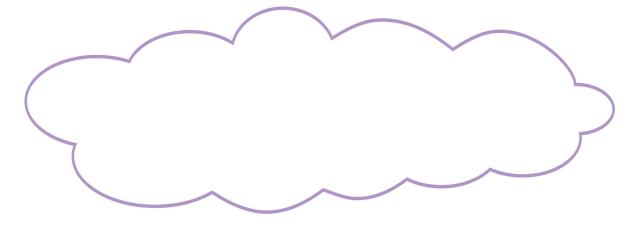
a. -2 and 6

b. -6 and 2

c. -3 and 9 ————

d. -10 and -4

e. Find the number halfway between -24 and 36 and explain how you found it.



• solve number and practical problems that involve whole numbers, rounding and negative numbers.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

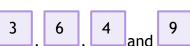
Example 1	Example 2		
 In the number 7.539: 1. What does the digit 3 represent? 2. Round this number to: a. the nearest whole number b. 1 decimal place 	Circle two numbers which have a difference of 2 -2 -1.5 0 0.5 1 1.5		
Answers	Two possible answers		
 3 represents ³/₁₀₀ or three hundredths a. 7.539 ≈ 8 b. 7.539 ≈ 7.5 	-2 and 0 -1.5 and 0.5		

	b	. 7.539 ≈ 7.5
1.	Ro	ound the following to the nearest whole number.
	a.	7.632 ≈
	b.	17.3 ≈
	c.	405.99 ≈
2.		ing each of the digits 3, 6 and 9 only once in each number:
	a.	write down the largest even number and the smallest odd number.
		Largest even number:
		Smallest odd number:
	b.	make a 3-digit number that rounds to one thousand.

3. Fill in the possible numbers:

Number	47		961		
Rounded to the nearest 10	•••••	50	•••••	90	200

4. Using each of the digits



only once in each number, write:



- a. the smallest odd number that can be made
- b. the largest 3-digit that can be made
- d. the value of the ones digit in the largest 2-digit number that can be made
- e. the value of the hundreds digit in the answer when the largest 2-digit odd number is multiplied by 10
- 5. The temperature in Leeds was $-5^{\circ}C$ at midnight. By midday, the temperature had risen by $12^{\circ}C$.

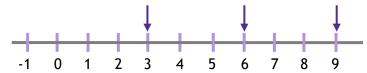
 - b. By how much did the temperature fall?
- 6. What number is five hundred less than one million?



7. The diagram below shows that 6 is **halfway** between the numbers three and nine.

What number is halfway between -1 and 5?





8.	. Alice has £732 in her bank account. Jim has -£127 in his bank account.							
	a.	Round the amount of £10.	money in Alice'	s account to the neares	it	£		
	b.	Round the amount of money in Jim's account to the nearest £10.			£			
	c.	How much more money does Alice have than Jim?			£			
CI	Challenge							
1.	Wl	nat number is halfwa	y between:					
	a	4 and 6?		b7 and 5?				
2.	2. The number eight is halfway between two and another. What is the other number?							
3.	3. Write down the 4-digit number that obeys the following instructions:							
	 It rounds to 3000. The thousands digit is half the units digit. The tens digit is the sum of the thousands and units digits. 							

• multiply multi-digit numbers up to 4 digits by a two-digit whole using the formal written method of long multiplication.

Look at the examples and answer the questions. If you are anxious, try questions 1-2. If you're feeling confident, try questions 1-4. If you're raring to go, try the challenge too!

Example 1

Find the product of 1756×49 .

	1	7	5	6
	ı	/)	0
×			4	9
1	5 ₆	8 ₅	0 ₅	4
7 ₃	02	2 ₂	4	0
8	6 ₁	0	4	4

$$1756 \times 9 = 15,804$$

 $9 \times 6 = 54$; 4 down 5 to carry.

 $9 \times 5 = 45$; add the 5 to give 50, so 0 down 5 to carry.

 $9 \times 7 = 63$; add the 5 to give 68, so 8 down 6 to carry.

 $9 \times 1 = 9$; add the 6 to give 15.

Similarly, $1756 \times 40 = 70,240$

Finally, add 15,804 + 70,240 = 86,044

Example 2

Fill in the gaps to complete this long multiplication sum.

			2	7
×			4	
	1	12	4 ₆	3
	5 ₁	2	8	0
		2 ₁		3

$$7 \times \text{ what = ...3; } 7 \times 9 = 63; 3 \text{ down 6 to carry.}$$

$$9 \times 2 = 18$$
; add the 6 gives 24, 4 down 2 to carry.

$$9 \times 1 = 9$$
; add the 2 gives the final 11.

$$127 \times 40 = 5080$$

Answer
$$127 \times 49 = 6223$$

1. Complete the following long multiplications:

a.		3	2
	×	2	3
			0

b.		1	4
	×	2	1
			0

c.		3	1
	×	2	4
			0

2. Complete the following long multiplications:

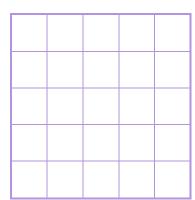
1.		1	3	2
	×		3	1
				0

2.		2	4	3
	×		2	1
				0

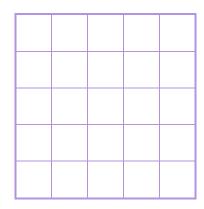
3.	5	2	3
×		3	2
			0

3. Find the products of the following multiplications:

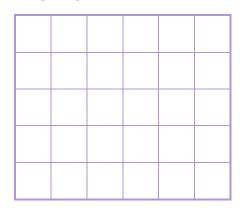
a. 483×53



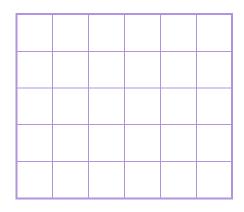
b. 821×37



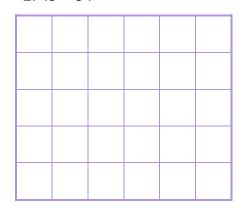
c. 2461 x 67



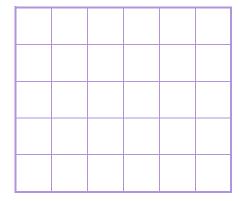
d. 4118 x 28



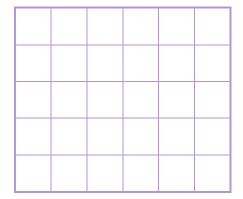
- 4. Find the following products:
 - a. 2743×54



b. 4095 × 63



c. 1986×85



Challenge

Fill in the missing gaps in the following multiplications:

1.

		6	
×		4	7
		3	4
2	4		0
2	9		4

2.

	3		7	4
×			2	
2		5	9	2
6	1	4		0
	6		7	2

3.

7	



×

5 =

3

3

٦٢

• divide numbers up to 4 digits by a two-digit whole number using the formal written method of long division, and interpret remainders as whole number remainders, fractions, or by rounding, as appropriate for the context.

Look at the examples and answer the questions. If you are anxious, try questions 1-3. If you're feeling confident, try questions 1-5. If you're raring to go, try the challenge too!

Example 1

Complete the following division $612 \div 17$.

			3	6
1	7	6	1	2
	-	5	1	0
		1	0	2
	-	1	0	2
				0

Multiples of 17: 17, 34, 51, 68, 85, 102, 119, 136, 153, 170 (17 x 30 = 510) (17 x 6 = 102)

Example 2

A coach can fit 53 people in it. How many coaches are needed for a school trip for 400 people?

				7	r 29
5	3	4	0	0	
	-	3	7	1	
			2	9	

Multiples of 53: 53, 106, 159, 212, 265, 318, 371, 424, 477, 530 (53 x 7 = 371)

Since we can't leave out the remaining 29 people, we would need 8 coaches.



Top tip: usually when we need 'how many?' we round up; if it's 'how many can we get?' we round down.

- 1. Complete the following division sums:
 - a. 704 ÷ 16 = b. 903 ÷ 43 =

1	6)	7	0	4	

4	3)	9	0	3	

2. Complete the following division sums:

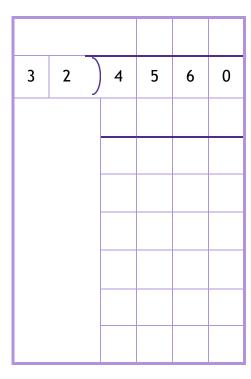
a. 3806 ÷ 22 = b. 5148 ÷ 36 =

2	2	3	8	0	6

3	6)	5	1	4	8

- 3. Complete the following division sums and express the remainder as a whole number:
 - a. 940 ÷ 29 = b. 4560 ÷ 32 =

2	9	9	4	0



4. Complete the following division sums and express the remainder as a whole number:

a. 8924 ÷ 23 = b. 9558 ÷ 54 =

2	3	\int	8	9	2	4

5	4	9	5	5	8

- 5. Complete the following division sums and express the remainder as a whole number:
 - a. 1976 ÷ 83 = b. 2226 ÷ 47 =

8	3)	1	9	7	6

4	7	2	2	2	6

Challenge

- 1. Marker pens cost 69p each. Shola has £5 to spend on buying as many as she can.
 - a. How many can she buy?pens



- b. How much change does she receive? pence
- 2. One rack holds 28 CDs. Alisa has 183 CDs. How many racks does she need to hold all her CDs?

••••••••••••••••••••••••••••••



- 3. Write down one digit from each list to complete the following divisions.
 - a. 8 3 ÷ 3 = 6 1 2 3 Digit =
 - b. 2 0 1 ÷ 3 = 3 5 6 7 Digit =

• divide numbers up to 4 digits by a two-digit number using the formal written method of short division where appropriate, interpreting remainders according to the context.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-9. If you're raring to go, try the challenge too!

Example 1

Judith cuts 5.1 metres of cotton into 24 equal lengths.

- a. How long is each length in cm?
- b. How much cotton is left over?

Answers

5.1 m ÷ 24

Multiples of 24: 24, 48, 72, 96, 120 and so on.

				2	1	r6
2	4)	5⁄	5/1	³ 0	

- a. Each length is 21 cm long.
- b. The remainder means 6 cm left over.

Example 2

Work out £871 \div 37 giving your answer to the nearest pence (2dp).

Answer

871 ÷ 37

		2	3 (5	4	0
3 7	8	87	¹³ 1 •	²⁰ 0	¹⁵ 0	² 0

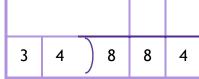
To find a decimal remainder, insert a decimal point and carry any remainder onto a zero (as shown above).

So £871
$$\div$$
 37 = £23.54

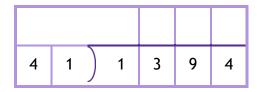
- 1. Complete these division sums:
 - a. 621 ÷ 27 = b. 884 ÷ 34 =

2	7	6	2	1

, 601 : 31 =



c. 1394 ÷ 41 = d. 1323 ÷ 63 =

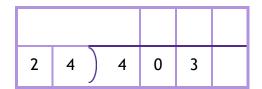


6 3) 1 3 2 3

2. Complete the following division sums and write a whole number remainder:

a. 403 ÷ 24 = b. 1216 ÷ 52 =





5	2) 1	2	1	6

3. Complete the division sums and express the remainder as a decimal remainder:

a. 456 ÷ 32 = b. 804 ÷ 48 =

3	2	4	5	6		

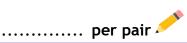
4	8	8	0	4		

4. Margo stacks 420 bricks into piles containing 15 bricks each. How many piles does she make?

..... piles 🖊



5. Carlos buys 34 pairs of trainers for £986. How much did each pair cost?



6. A group of 58 people spent £1972 on tickets for a music festival. How much does one ticket cost?

..... per ticket



	A courier delivers a class set of 29 books weighing 2407 kg to a local school. How much does each book weigh?
	kg 🥕
	The organisers of a school fete sell 3888 cartons of drink on their stall. The drinks come in packs of 36. How many packs did they sell?
	packs
	A charity raises £3852 from doing a sponsored run. Each runner paid £18 to enter. How many runners entered the race?
	runners
~ 1	
Cn	allenge
	Birthday cards cost 79p each. Freddy has £5. He buys as many cards as he can. Work out the amount of change Freddy should get from £5. Give your answer in pence.
	pence
	600 pupils in a secondary school are travelling to their annual sports day. They take buses that carry 53 people when full. How many buses are needed? How many spare seats will there be?
	buses seats

• perform mental calculations, including with mixed operations and large numbers.

Look at the examples and answer the questions. If you are anxious, try questions 1-4. If you're feeling confident, try questions 1-6. If you're raring to go, try the challenge too!

Example 1	Example 2	Example 3
Use BODMAS to calculate: a. $4 + 5 \times 3$ b. $12 \div 3 + 2 \times 4$	If 43 × 21 = 903, find the values of: a. 43,000 × 210 b. 903,000 ÷ 21	What is the difference in the place values of the two 6s in the number 1,762,563?
c. $(1 + 2 + 3)^2$	Answers:	Answer: 1,762,563
Answers: a. $4 + 5 \times 3 = 4 + 15 = 19$ b. $12 \div 3 + 2 \times 4 = 4 + 8 = 12$ c. $(1 + 2 + 3)^2 = (6)^2 = 36$	a. 43,000 × 210 = 9,030,000 b. 903,000 ÷ 21 = 43,000	60,000 60 Difference: +40 +900 +59,000 60 100 1000 60,000 = 59,940

1. Using BODMAS, find the answers to the following sums:

2. Insert the following symbols, > (greater than), < (less than) or = (equals).

a.	(8 - 2) - 2 × 3	$0 \times 1 \times 2 \times 3 \times 4 \times 5$
b.	100 - 5 × 10	2 × 5 × 5
c.	4 + 5 × 6 + 7	6 × 7
d.	$(1 + 3)^2$	1 + 2 + 3 + 4 + 5

- 3. Find the answer to the following sums:
 - a. 700,000 + 60,000 + 500 + 40 + 3 =
 - b. 1,000,000 + 20,000 + 300 + 4 =
- 4. If $78 \times 34 = 2652$, find the answer to the following sums:
 - a. 780 × 3400 = b. 2,652,000 ÷ 780 =
- 5. How much bigger is 60,435 than 14,503?
- 6. At a rugby ground, the four weeks in February had these attendances:

Week 1	Week 2	Week 3	Week 4
40,346	15,496	30,946	37,083

What was the total attendance for the whole of February?



Challenge

1. Using up to four 4s, make sums with the following answers. An example is done for you.

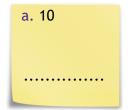
Question	Working	Answer
Example	44 ÷ 4 - 4 = 11 - 4 = 7	7
a.		5
b.		9
c.		20
d.		80

• identify common factors, common multiples and prime numbers.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example 1	Example 2	Example 3
Find all the factors of 30.	Write down two multiples of both 6 and 8.	7 only has 2 factors as $1 \times 7 =$ 7. It is a prime number .
Answer		Which of those are prime?
We need to find pairs of	Answer	Which of these are prime?
numbers that multiply to give 30, so	6, 12, 18, 24 , 30, 36, 42, 48 , 54, 60,	33 43 53 63 73
1 × 30	8, 16, 24 , 32, 40, 48 , 56, 64,	Answer
2 × 15	72, 80,	33 = 1 × 33; 3 × 11
3 × 10	Common multiples of 6 and 8	43 = 1 × 43; 53 = 1 × 53;
5 × 6	are 24 and 48 .	63 = 1 × 63; 3 × 21; 9 × 7
		73 = 1 × 73 .
Factors of 30 are 1, 2, 3, 5, 6, 10, 15 and 30.		The prime numbers are 43, 53 and 73.

1. Write down all the factors of:









2. Write down the first four multiples of:

b. 9

c. 12

d. Write down any number that is a multiple of both **9** and **12**.

Resource 5 - identify common factors, common multiples and prime numbers

3. Here is a list of numbers

3 13 16 29 36 48

Choose any number from this list that is a:

- a. Prime number → b. Multiple of 9 →
- c. Factor of 52 →
- d. Common multiple of two other numbers in the list? →
- 4. Write one number in each section of the Carroll diagram.

	100 or less	More than 100
Multiple of 30		
Multiple of 20		

5. Write down two factors of 24 that are not factors of 12.

.....

6. Write down all the common multiples of 6 and 9 that are between 50 and 100.

.....

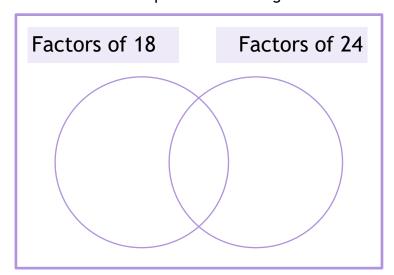
7. 376 is a multiple of 4 but not a multiple of 7.

406 is a multiple of 7 but not a multiple of 4.

Find a number that is **between** 376 and 402 that is a multiple of **both 4** and **7**.

.....

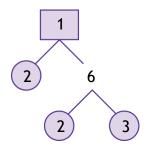
8. Write these numbers in the correct spaces on the diagram:



Challenge

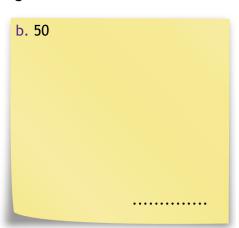
12 can be written in terms of factors as 2×6 . 6 can be written in terms of factors as 2×3 .

So $12 = 2 \times 2 \times 3$. These are called its *prime factors* as they are all prime numbers.



Find the **prime factors** of the following numbers.











• use their knowledge of the order of operations to carry out calculations involving the four operations.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-12. If you're raring to go, try the challenge too!

When sums have got different operations in them, we have to solve them in the correct order. We use a method called B O D M A S.

В	=	Brackets	T
0	=	Orders	
D	=	Divide	Do the sums in this order
M	=	Multiply	Do the sums in this order
Α	=	Add	
S	=	Subtract	+

Example 1

$$4 + 3 \times 2$$
 (Multiply first)

$$4 + 6 = 10$$

Example 2

$$(7 - 3) \times 5$$
 (Brackets first)

$$4 \times 5 = 20$$

Example 3

Using any of the numbers: 1, 4, 5 and 7, make a sum with the answer 34.

a.
$$5 \times 7 - 1 = 35 - 1 = 34$$

b.
$$4 \times 7 + 5 + 1 = 28 + 6 = 34$$

c.
$$4 + (7 - 1) \times 5 = 4 + 6 \times 5 = 4 + 30 = 34$$

Find the answers to the following:

Workings out and answer

- 1. 7 5 + 4
- 2. 5 7 + 4
- 3. $7 \times 3 2$
- 4. $2 \times 6 + 3$
- 5. $8 \div 2 + 5$
- 6. $12 \div 2 3$
- 7. $7 + 3 \times 4$
- 8. $9 3 \times 2$
- 9. $18 5 \times 3$
- $10.7 + 15 \div 5$
- 11. $(8 5) \times 4$
- $12.(2 + 7) \div 3$

Challenge

1. Insert **brackets** to make the following sums correct.

Example:

 $7 \times 3 + 1 = 28$ would become $7 \times (3 + 1) = 7 \times 4 = 28$

Show your workings and answers.

- a. $8 \times 4 2 = 16$
- b. $12 \div 1 + 5 = 2$
- c. $3 + 4 \times 5 = 35$
- d. $4 + 2 \times 5 3 = 12$
- e. $9 3 \times 2 \times 5 = 15$
- 2. Using any of the numbers: 2, 5, 6 and 8, find at least **three** ways to make a sum with the answer 30.



 solve addition and subtraction multi-step problems in contexts, deciding which methods to use and why.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example 1

football sticker book. It needs

Joe is trying to complete a

270 stickers overall. He has

Place each of the numbers 1 to 5 in the V shape so that the two arms of the V have the same total.

Example 2



143 in the book and a further 69 ready to stick in. How many more stickers will he need?

Answer

So far, 143 + 69 = 212 How many more = 270 - 212 = **58** needed

Answer

number and divide the remaining number sum by 2. 1 + 2 + 3 + 4 + 5 = 15. 15 - 1 = 14; $14 \div 2 = 7$ Therefore, 4 + 3 + 1 = 1 + 2 + 5 (= 8); 4 + 2 + 3 = 3 + 1 + 5 (= 9);

The bottom number is used twice so remove this

and 4 + 1 + 5 = 5 + 2 + 3 (= 10).

1. A salesman has to travel 348 miles. In the first two hours he travelled 63 miles. In the next three hours he travelled a further 94 miles. How much further does he have to travel?



2. Use the operations + and - to make this calculation correct.

3. A baker has 1043 loaves of bread at the start of the day. In the morning, 593 loaves are sold and a further 396 loaves are sold in the afternoon.

How many loaves of bread are there left at the end of the day?



4. In a garden centre, a rose plant costs £6.48, lily seeds cost £1.95 and daffodil bulbs cost 65p each. Mavis buys a rose plant and five daffodil bulbs. How much change does she get from a £10 note?



5. Circle the three numbers that total 100.

48

39

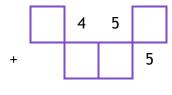
26

47

14

25

6. Write the missing digits to make this addition sum correct.







7. Keith bought a writing pad and a pen. He paid £1.40. Katy bought a writing pad and 2 pens. She paid £1.95.

Calculate the cost of a writing pad.



8. Use all the digits to complete the following sums:

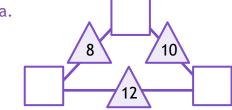
a. 9, 2, 6 and 4

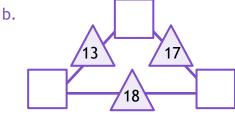


Challenge

The number in each triangle is equal to the sum of the numbers in the squares on either side. Find the missing numbers.

a.





• solve problems involving addition, subtraction, multiplication and division.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example 1 Example 2 A bag of 5 apples costs £1. Two families go to the cinema. A box of 4 melons costs £2.10. The Reed family buy tickets for one adult and four How much **more** does one melon children and pay £19. cost than one apple? The Lowe family buy tickets for two adults and two children and pay £17. What is the cost of one child's ticket? Answer One apple costs $100p \div 5 = 20p$ One melon costs $210p \div 4 = 55p$ **Answer** 55p - 20p = 35p more. Matching the adults first: Reed: 2 adults and 8 children = £38 Lowe: 2 adults and 2 children = £17 -6 children = £21 So £21 \div 6 = £3.50 for each child.

1.	A waiter and a waitress earned tips during a day while working in waiter received £28 and the waitress received £37. They agree to How much will they both get?	
		 , The state of the
2.	I bought 3 pears at 49p each and 2 drinks at £1.14 each. How much did I spend altogether? What change would I get by paying for the items with a £5 note?	

Resource 8 – addition, subtraction, multiplication and division problems

3.	A farmer had 370 eggs. 18 smashed so he put the rest into boxes of 15. How many boxes did he use?				
	boxes				
4.	Rose bushes cost £12.95 each. If you buy three rose bushes, you pay £30. How much money do you save through this offer?				
5.	Jules has read 197 pages of a 648 page book. How many pages must he read until he reaches the middle of the book?				
6.	In the following grids, each number is the product of the two numbers which lie directly beneath it.				
	Complete each grid. a. b.				
	150				
	15 10 8				
	7 2 5				
7	At a maintain, sale and these are 220 minute. One had device become 47 minute visus				
	At a primary school there are 238 pupils. One cold day in January, 17 pupils were absent and 13 pupils decided to go home for lunch. The remainder stayed for school lunch. Of these staying pupils, three times as many had a hot meal than had a packed				
	lunch. How many pupils had a hot meal for lunch?				

Resource 8 – addition, subtraction, multiplication and division problems 8. Erica thinks of a number. She doubles this number and then adds thirteen. She divides this result by five and is left with the number seven. What number did Erica start with? Challenge

Michael has twice as much money as Trisha. When Michael spends £75 and Trisha spent £20, they both have the same amount left. How much money did Michael hat first?	

- use estimation to check answers to calculations and determine, in context of a problem, an appropriate degree of accuracy
- identify the value of each digit given to three decimal places and multiply and divide numbers by 10, 100 and 1000 giving answers up to three decimal places.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example 1	Example 2
A school wants to buy 23,486 pencils. They come in boxes of 64. Approximately how many boxes will they buy?	Joe saves 30 pence every day for a year. He estimates that he will have approximately saved £110. Is he right?
Answer	Answer
24,486 ÷ 64 \approx 24,0000 ÷ 600 \approx 2400 ÷ 6 = 400 boxes	$365 \times 30 \approx 400 \times 30$ $\approx 12,000 \text{ p} = £120, \text{ so yes}$

- 34 boxes contain 18 apples each.
 Circle the best estimate that shows the total number of apples.
 - a. 400
- b. 500
- c. 600
- d. 800
- 2. There are 342 children going to the theatre. The theatre can seat up to 22 children in each row. Circle the best estimate to show how many rows will be filled.
 - a. 10
- b. 15
- c. 20
- d. 25
- 3. Suzie buys 54 chews at 16 pence each. Roughly, how much does she spend?



4.	Carol has 42 boxes of toys with a total weight of 197 kg. What is the approximate
	weight of each box?

5. Complete the following table. The first row has been done for you.

	Question	Rounding	Estimate	Actual
e.g.	19 × 241	20 × 200	4000	4579
a.	15,463 + 8946			
b.	7631 - 2814			
c.	78 × 437			
d.	5632 ÷ 32			

6. Complete the following table:

× 1000	x 100	Number	÷ 10	÷ 100
	42			
	6.75			
2300				
			6	
				0.45

7. Every week, 2392 new patients are admitted to a hospital. Estimate how many patients visited the hospital during 2018.



8. Using any of the digits 3, 6, 7 and 8 once only in each number, write:



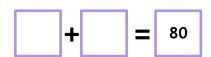
a. the number that is closest to 500.

b. the value of the **hundreds** digit in the answer when the largest 3-digit **odd** number is multiplied by 10.

c. the value of digit **7** in the smallest 4-digit number when it is divided by 1000.

Challenge

Two **whole** numbers are each **rounded** to the **nearest 10**. The sum of the rounded numbers is 80. Work out the **maximum** possible sum of the original two numbers.



- use common factors to simplify fractions; use common multiples to express fractions in the same denomination
- compare and order fractions, including fractions > 1.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-7. If you're raring to go, try the challenge too!

Example:

Circle the fraction that is greater than $\frac{1}{2}$ and less than $\frac{3}{4}$.

$$\frac{2}{5}$$
 $\frac{7}{8}$ $\frac{1}{3}$ $\frac{5}{8}$ $\frac{3}{6}$

To work this out, we can create equivalent fractions by simply building up fraction tables using our times table knowledge:

$$\frac{3}{4} = \frac{6}{8} = \frac{9}{12} = \frac{12}{16} = \frac{15}{20}$$

or taking each fraction in turn:

$$\frac{2}{5} = \frac{4}{10} = \text{so} < \frac{5}{10} \left(\frac{1}{2}\right); \qquad \times \qquad \frac{7}{8} < \frac{6}{8} \left(\frac{3}{4}\right); \qquad \times \qquad \frac{1}{3} \left(\frac{4}{12}\right) < \frac{1}{2} \left(\frac{6}{12}\right); \qquad \times$$

$$\frac{5}{8} \text{ is between } \frac{4}{8} \text{ and } \frac{6}{8}; \qquad \checkmark \qquad \frac{3}{6} = \frac{1}{2} \qquad \times$$

1. Write four equivalent fractions to the given one below using fraction tables.

a.
$$\frac{2}{5} = \frac{4}{15} = \frac{1}{15} = \frac{1}{15$$

2. Write four equivalent fractions to the given one below using fraction tables.

a.
$$\frac{2}{5} = \frac{4}{12}$$
b. $\frac{2}{3} = \frac{10}{12}$
c. $\frac{5}{6} = \frac{20}{12}$
d. $\frac{2}{7} = \frac{10}{12}$

3. Circle the larger fraction.

a.
$$\frac{2}{3}$$
 or $\frac{3}{4}$ b. $\frac{5}{6}$ or $\frac{7}{9}$

b.
$$\frac{5}{6}$$
 or $\frac{7}{9}$

4. Write these fractions in order of size starting with the smallest.

$$\frac{7}{12}$$

$$\frac{3}{4}$$

$$\frac{1}{2}$$

$$\frac{2}{3}$$

Smallest,

5. Write in the missing values.

a.
$$\frac{2}{3} = \frac{10}{18} = \frac{10}{18}$$

b.
$$\frac{2}{8} = \frac{9}{24} = \frac{6}{8}$$

6. Insert the following symbols: >, < or =.

a.	$\frac{7}{2}$	$3\frac{1}{2}$
b.	$\frac{9}{10}$	4 5
c.	$1\frac{1}{3}$	$1\frac{1}{6}$
d.	5 12	$\frac{3}{8}$

7. Choose from the following numbers to make each pair of fractions equivalent:

20

a.
$$\frac{}{8} = \frac{}{40}$$

b.
$$\frac{1}{8} = \frac{1}{40}$$

c.
$$\frac{1}{7} = \frac{1}{21}$$

Challenge

Complete the following equivalent fraction equations:

1. a.
$$\frac{1}{12} = \frac{20}{48} = \frac{10}{10}$$

b.
$$\frac{10}{24} = \frac{5}{4}$$

· add and subtract fractions with different denominators and mixed numbers, using the concept of equivalent fractions.

Look at the examples and answer the questions. If you are anxious, try questions 1-4. If you're feeling confident, try questions 1-7. If you're raring to go, try the challenge too!

Example

Find equivalent fractions by setting up a number (counting) sequence for both the numerator and denominator.

$$\frac{3}{8} = \frac{6}{16} = \frac{9}{24} = \frac{12}{32} = \frac{15}{40}$$

The sequence shows the numerator ascending in 3s and the denominator ascending in 8s.

Find the common denominator:

$\frac{5}{8} + \frac{1}{6}$	$\frac{5}{8} = \frac{10}{16} = \frac{15}{24} = \frac{20}{32} = \frac{25}{40}$
$\frac{15}{24} + \frac{4}{24} = \frac{19}{24}$	$\frac{1}{6} = \frac{2}{12} = \frac{3}{18} = \frac{4}{24} = \frac{5}{30}$

1. Find the common denominator to solve these addition sums.

a.
$$\frac{1}{4} + \frac{3}{8} = \dots$$

a.
$$\frac{1}{4} + \frac{3}{8} =$$
 b. $\frac{1}{3} + \frac{4}{9} =$

Find the common denominator to solve these subtraction sums.

a.
$$\frac{5}{6} - \frac{1}{3} = \dots$$

a.
$$\frac{5}{6} - \frac{1}{3} = \dots$$
 b. $\frac{7}{12} - \frac{1}{4} = \dots$

3. Complete the following fraction sums.

a.
$$\frac{3}{4} + \frac{1}{6} = \dots$$

a.
$$\frac{3}{4} + \frac{1}{6} =$$
 b. $\frac{3}{8} + \frac{5}{12} =$

c.
$$\frac{4}{9} - \frac{1}{6} = \dots$$

c.
$$\frac{4}{9} - \frac{1}{6} = \dots$$
 d. $\frac{11}{12} - \frac{5}{8} = \dots$

4. Jack and Sarah share a pizza. Jack has $\frac{5}{8}$ and Sarah has $\frac{1}{8}$ of the pizza.

How much of the pizza have they eaten altogether?



What fraction is left over?



5. Find the common denominator to solve these subtraction sums.

a. $\frac{1}{8} + \frac{5}{12} = \dots$ b. $\frac{5}{9} + \frac{1}{6} = \dots$

c. $\frac{7}{9} - \frac{5}{12} = \dots$ d. $\frac{11}{12} - \frac{7}{8} = \dots$

6. Paula, Freda and Judith share a large bar of chocolate.

Paula has $\frac{5}{12}$ and Freda has $\frac{1}{4}$.

What fraction of the chocolate is left for Judith?



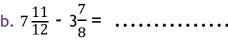
7. Stevie swam $\frac{7}{12}$ of a mile on a Tuesday and $\frac{3}{8}$ of a mile on a Thursday. How much further did he swim on the Tuesday than on the Thursday?



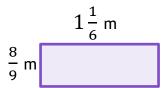
Challenge

1. Complete the following mixed number calculations.

a. $3\frac{4}{9} + 2\frac{5}{12} = \dots$ b. $7\frac{11}{12} - 3\frac{7}{9} = \dots$



2. Julie wants to wrap string around a large box. She has 5 metres of ribbon. How much string is left over? Give your answer as a fraction.





• multiply simple pairs of proper fractions, writing the answer in its simplest form.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example 1	Example 2
Work out $\frac{3}{8} \times \frac{5}{6}$.	Find $\frac{5}{6}$ of £27.
Answer	Answer
Multiply numerators	Remember 'of' means multiply.
and denominators $\frac{3 \times 5}{8 \times 6} = \frac{15}{48}$	Create two fractions: $\frac{5}{6} \times \frac{27}{1} = \frac{5 \times 27}{6 \times 1} = \frac{135}{6}$
Simplify fraction $\frac{15}{48} = \div 3 = \frac{5}{16}$	Simplify: $\frac{135}{6} = \div \frac{3}{\div 3} = \frac{45}{2}$ Now the decimal division $45 \div 2 = £22.50$

1. Work out these multiplication sums.

a.
$$\frac{3}{4} \times \frac{1}{2} = \dots$$
 b. $\frac{5}{8} \times \frac{3}{4} = \dots$ c. $\frac{1}{5} \times \frac{4}{5} = \dots$

b.
$$\frac{5}{8} \times \frac{3}{4} = \dots$$

c.
$$\frac{1}{5} \times \frac{4}{5} = \dots$$

2. Complete these multiplication sums simplifying your answers.

a.
$$\frac{5}{8} \times \frac{2}{3} = \dots$$

b.
$$\frac{5}{6} \times \frac{3}{4} = \dots$$

a.
$$\frac{5}{8} \times \frac{2}{3} = \dots$$
 b. $\frac{5}{6} \times \frac{3}{4} = \dots$ c. $\frac{1}{4} \times \frac{8}{9} = \dots$

3. Calculate the following:

a.
$$\frac{2}{3}$$
 of £18 =

b.
$$\frac{3}{5}$$
 of £25 =

a.
$$\frac{2}{3}$$
 of £18 = b. $\frac{3}{5}$ of £25 = c. $\frac{3}{8}$ of £48 =

4. Match up these calculations to their correct answer.

$\frac{11}{12} \times \frac{4}{5}$
$\frac{7}{8} \times \frac{2}{3}$
$\frac{3}{10} \times \frac{5}{6}$
$\frac{1}{2} \times \frac{3}{4}$

$\frac{1}{4}$	
11 15	
$\frac{7}{12}$	
$\frac{3}{8}$	

5. Complete these multiplication sums simplifying your answers.

a.
$$\frac{5}{8} \times \frac{6}{7} = \dots$$
 b. $\frac{5}{9} \times \frac{6}{7} = \dots$ c. $\frac{5}{8} \times \frac{4}{15} = \dots$

b.
$$\frac{5}{9} \times \frac{6}{7} = \dots$$

c.
$$\frac{5}{8} \times \frac{4}{15} = \dots$$

6. $\frac{2}{5}$ of my friends go to the cinema every weekend. Half of them are boys. What fraction of my friends are boys?

7. There was $\frac{7}{12}$ of a pie left in the fridge. Jade ate $\frac{3}{4}$ of the leftover pie. How much of the pie did she eat?



8. Complete these multiplication sums simplifying your answers.

a.
$$\frac{5}{8}$$
 of £44 =

a.
$$\frac{5}{8}$$
 of £44 = b. $\frac{3}{4}$ of £54 = c. $\frac{7}{12}$ of £30 =

c.
$$\frac{7}{12}$$
 of £30 =

Challenge

1. Complete these multiplication sums simplifying your answers.

a.
$$\frac{5}{8} \times \frac{2}{3}$$

b.
$$\frac{7}{9} \times \frac{3}{4} = \dots$$

a.
$$\frac{5}{8} \times \frac{2}{3}$$
 b. $\frac{7}{9} \times \frac{3}{4} =$ c. $\frac{3}{4} \times \frac{11}{18} =$

2. Complete the following mixed number calculations.

a.
$$\frac{1}{2} \times \frac{2}{3} \times \frac{3}{4} \times \frac{4}{5} = \dots$$

a.
$$\frac{1}{2} \times \frac{2}{3} \times \frac{3}{4} \times \frac{4}{5} = \dots$$
 b. $1\frac{1}{4} \times 1\frac{1}{5} = \dots$

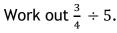
(Tip: change to improper fractions first.)

- divide proper fractions by whole numbers
- associate a fraction with division and calculate decimal fraction equivalents for a simple fraction.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

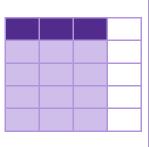
Example 1

÷ 5. Which is larger $\frac{3}{8}$ or 0.38?



Answer

Draw a bar and divide it into 4 parts. Shade in three of these $\left(\frac{3}{4}\right)$



Cut the bar into 5 equal horizontal bars.

Count those shaded in the first bar. This is the numerator (3). The denominator is all the sections together (20).

Answer
$$\frac{3}{20}$$
 as $\frac{3}{4} \div \frac{5}{1} = \frac{3}{4} \times \frac{1}{5} = \frac{3}{20}$

Answer

Change the fraction to a decimal using short division $(3 \div 8)$.

		0	3	7	(5)
8)	3	³ 0	⁶ 0	4(0)

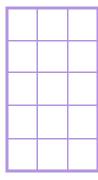
Example 2

 $\frac{3}{8}$ = 0.37 r4 $\left(\frac{3}{8}$ = 0.375 $\right)$ for the complete division. This is less than 0.38!

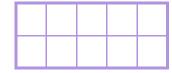
0.38 is greater.

1. Work out the following divisions. You may use the grids to help you.

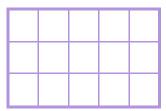
a.
$$\frac{2}{3} \div 5 =$$



b.
$$\frac{3}{5} \div 2 =$$



c.
$$\frac{4}{5} \times 3 =$$



- 2. Complete these divisions. You can draw grids to help you.
- a. $\frac{3}{4} \div 2 = \dots$ b. $\frac{1}{2} \div 3 = \dots$ c. $\frac{5}{6} \div 3 = \dots$
- 3. Change the following fractions to decimals.
 - a. $\frac{3}{4} = \dots$ b. $\frac{4}{5} = \dots$ c. $\frac{5}{8} = \dots$
- 4. Match each fraction to its equivalent decimal number. One has been done for you.

$\frac{1}{4}$	0.5
$\frac{1}{2}$	0.25
2 5	0.3
$\frac{3}{10}$	0.4

- 5. Write these in order of size, starting with the smallest.
- 0.3
- 0.28

Smallest	•••••	•••••	•••••	•••••	•••••	Largest
----------	-------	-------	-------	-------	-------	---------

- 6. Complete these divisions. Write your answers as fractions in their simplest forms.
- a. $\frac{4}{5} \div 2 = \dots$ b. $\frac{5}{6} \div 10 = \dots$ c. $\frac{9}{10} \div 6 = \dots$
- 7. Write the following as decimals.
 - a. $\frac{7}{8} = \dots$ b. $\frac{1}{6} = \dots$ c. $1\frac{1}{4} = \dots$
- 8. Kevin has £5 in his pocket and wants to share it equally between himself and five of his friends. He says that they will get 83 pence each as £5 \div 6 = £0.83 Using division, can you show that he is correct?



Challenge

1.	Josie has $\frac{3}{4}$ of a metre of string. She wants to cut it into six equal lengths.
	How long will each longth bo? Write your answer in contimetres

How long will each length be? Write your answer in centimetres.

	N.	

• multiply one-digit numbers with up to 2 decimal places by whole numbers.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example 1

Emma buys three music CDs. Each CD costs £13.49. She has saved up £40. Does she have enough money?

Answer

Calculation is £13.49 \times 3

	1	3	4	9
×				3
£	4	0	4	7
		1	1	2

Since £40.47 is more than £40, Emma does not have enough money.

Example 2

Find the missing number.



Answer

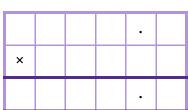
Ignoring the decimal point, we can say $3 \times 5 = 15$ (or $15 \div 5 = 3$)

The answer must be ten times smallers as there is only **one decimal place** (one number after the decimal point). So the missing answer is **0.3**.

1. Complete the following multiplications. You can use the grids to help you.

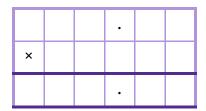
a.
$$26.4 \times 7$$

	2	6	4
×			7



a.
$$7.86 \times 5$$

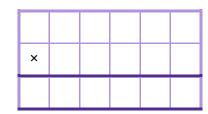
	7	•	8	6
×				5



- 2. Complete the following multiplications. You can use the grids to help you.
 - a. 37.82×8



b. 184.5 × 9



- 3. Answer the following questions.
 - a. Dane buys seven tickets costing £2.85 each. How much did he pay altogether?

.....

b. Paula travels 9.73 miles every day. How far does she travel over four days?

.....

4. A football shirt costs £32.69. If a five-a-side team need to buy some new shirts, how much will it cost them?



5. Answer the following questions:



- b. × 9 = 10.8
- 6. Complete the following multiplications. You can use the grids to help you.
 - a. 437.8 × 8



b. 384.75 × 9



7. Stuart saves £283.57 every year. How much money does Stuart save over four years?



8. Karen bought seven cans of dog food for £1.99 each and four tins of cat food for £1.38 each. What was the total amount she spent?



Challenge

1. Fill in the gaps:

- use written division methods in cases where the answer has up to two decimal places
- solve problems which require answers to be rounded to specified degrees of accuracy.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example 1 Example 2 Two shops A and B sell jars of jam. Jimmy has nine weeks to save up £350 for Shop A: 6 jars for £4.50 his holiday. Shop B: 8 jars for £5.92 To the nearest penny, how much should he save each week? Which shop is better value? Answer: £350 ÷ 9 **Answer:** completing the short division A: £4.50 ÷ 6 B: £5.92 ÷ 8 0 8

Α	0• 7	5	В	0	7	4
6)	4⁄4 ⁴ 5	3 0	8	5	⁵ 9	³ 2

A cost 75p a jar.

B cost 74p a jar

Shop **B** gives better value as it is a penny cheaper for a jar of jam.

For the nearest penny (2dp) look at the third decimal place.

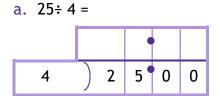
³5

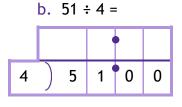
80 **→**

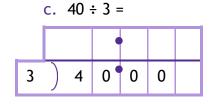
80

If the number is *five or more* then we round up, so the weekly savings are £38.89.

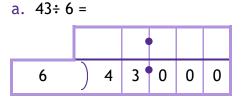
1. Calculate the following, giving answers up to 2 decimal places:

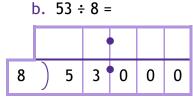


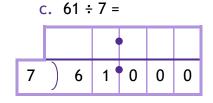




2. Calculate the following, giving answers up to 2 decimal places:





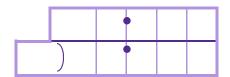


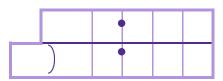
8

80

- 3. Calculate the following, giving answers up to 2 decimal places.
 - a. 79 ÷ 5







4. Julian is training for a race. He needs to reach 100 miles over 7 weeks. How much does he have to run each week to compete this?

Write your answer to the nearest mile.



5. Write in the missing numbers to complete the following sequences.

.....



6. Six friends go out to share a meal at a restaurant. The bill comes to £54.42. They share the cost equally. How much do they each pay?



- 7. Erica wants to complete a 16-mile training run in three hours.
 - a. To the nearest mile, how far should she run each hour?



b. Erica decides to round up. Explain why she did that.



8. Three shops sell packets of balloons in different sizes as shown.

Billy's	Judy's	Smith's		
3 packets for £4	7 packets for £9	9 packets for £11.75		



Which shop give the best value?

 •••••	N.

Challenge

1. A highland bike race consists of 6 laps. The total distance of the race is 39½ miles. How far is one lap (to the nearest hundredth of a mile)?

.....

2. A Complete the following division sum in two different ways.

÷ = 13.5

÷ = 13.5



• recall and use equivalences between simple fractions, decimals and percentages, including in different contexts.

Look at the examples and answer the questions. If you are anxious, try questions 1-4. If you're feeling confident, try questions 1-6. If you're raring to go, try the challenge too!

Example 1

17

Write the following amounts in ascending order starting with the smallest.

$$0.5 \frac{2}{5} 42\% \frac{1}{2}$$

Which is larger: $\frac{17}{25}$ or 71%?

Example 2

Answer

$$\frac{17}{25} = \frac{34}{50} = \frac{51}{75} = \frac{51}{75} = \frac{68}{100} = 68\%$$

Answer

Change everything to either decimals or percentages.

$$0.5 = 0.5 \times 100 = 50\%$$
;

$$\frac{2}{5} = 2 \div 5 \ 0.4 = 40\%; \ 42\% = 42\%;$$

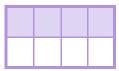
$$\frac{11}{20} = \frac{22}{40} = \frac{33}{60} = \frac{44}{80} = \frac{55}{100} = 55\%$$
 ('× by 5')

Smallest: $\frac{2}{5}$, 42%, 0.5, $\frac{11}{20}$ largest

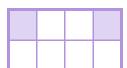
This is less than 71%. 71% is larger.

1. Look at the diagrams below. Write down the percentage the shading represents in each diagram.

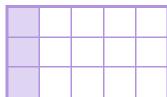
a. %



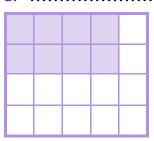
b. %



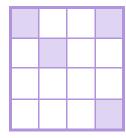
c.%



d. %



e.



f.



Resource 7 – use equivalences between fractions, decimals and percentages

2. Complete the following table:

Diagram	Fraction	Decimal	Percentage
	$\frac{1}{4}$		
		0.3	
			45%

- 3. Arrange these quantities in order of size starting with the smallest.
 - 0.21
- $\frac{1}{4}$
- 30%
- $\frac{1}{2}$
- $\frac{2}{5}$

Smallest,

....,

Largest

4. Circle the larger value.

a.
$$\frac{3}{4}$$
 or 0.35

c.
$$\frac{7}{8}$$
 = or 81%

5. Find the matching pairs. The first one is done for you.

50% of 8		30%
	\	0.7
3 10		$\frac{1}{4}$ of 16
$\frac{1}{5}$ of 15		18 25
72%		60%
$\frac{3}{5}$	\	0.5
$\frac{3}{5} + \frac{1}{10}$		3

Largest

Resource 7 – use equivalences between fractions, decimals and percentages

6. Write the following amounts in ascending order, starting with the smallest.

 $\frac{1}{3}$

0.37

30%

0.073

 $\frac{1}{4}$

29.5 %

Smallest

.....

Challenge

- 1. Jean has 70 bottles of pop to sell one weekend. She wants to sell 60% of the bottles by Saturday night.
 - a. Shade in the grid to represent this sale of 60%.



b. Use the grid to help you find how many bottles she has left to sell on Sunday.

		N.

Section 2:

Ratio and proportion

 solve problems involving the relative sizes of two quantities where missing values can be found by using integer multiplication and division facts.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example

Orange paint is made by mixing red and yellow paint. For every 2 parts of red paint you would use 3 parts of yellow. This is a ratio of 2:3.

- a. MrAce wants to make 20 tins of orange paint. How much red and yellow paint will he need?
- b. Mrs Ure has 16 litres of red paint. How much yellow paint would she need to add to make orange paint?
- a. Build up the ratio table by counting up each table for red and yellow.

Red: Yellow

2:3

4:6

6:9

8 : 12 this adds to 20!

10:15

He needs **8 tins** of red paint and **12 tins** of yellow paint.

b. Build up the ratio table by counting up each table for red and yellow.

Red: Yellow

2:3

4:6

6:9

8: 12 this adds to 20!

10:15

He needs **8 tins** of red paint and **12 tins** of yellow paint.

- 1. Use ratio tables to share the following quantities into the given ratio.
 - a. £25 into 2:3

:

b. 30 into 1:4

:

c. 40 into 3:5

:

- 2. Use ratio tables to share the following quantities into the given ratio.
 - a. £56 into 2:5

:

b. £66 into 6:5

:

		oox of chocolates contains 7 milk chocolates and 4 dark chocolates. Judy buys ee boxes. How many milk chocolates will she have altogether?
		milk chocolates
(cer	ilder Joe made up a cement mixture by mixing 3 bags of sand for every bag of ment. To build a wall, he needs 12 bags of sand. How many bags of cement will he ed?
		bags of cement
		make 5 scones it takes 2 cups of cheese for every 3 cups of butter. How many cups of butter will be needed for 35 scones?
		cups of butter
ŀ		Ashton makes similar scones. He has 27 cups of butter available. How many cups of cheese will he need?
		cups of cheese
		necklace is made by linking purple and orange beads. Suzanne makes a necklace the one below.
ć	a.	She decides to make 7 for her friends. How many purple beads will she need?
		purple beads

s will she
necklaces
£
ickets.
£
loaf
g of fibre

 solve problems involving the calculation of percentages and the use of percentages for comparison.

Look at the examples and answer the questions. If you are anxious, try questions 1-8. If you're feeling confident, try questions 1-11. If you're raring to go, try the challenge too!

Example 2

Example 1

percentage of the class are

A class contains 18 boys

and 12 girls. What

25% of the pears in a box are large. The rest are small. There are 13 large pears. How many small pears are there?

Answer

boys?

Total = 18 + 12 = 30Fraction boys = $\frac{18}{20}$ We need to make this a fraction with a

denominator of 100:

$$\frac{18}{30} = \frac{3}{10} = \frac{30}{100} = 30\%$$

Answer

We need to know what 100% is, so:.

Small pears =
$$52 - 13 = 39$$

(small = $75\% = 13 \times 3 = 39$)

Example3

Find 35% of £8.

Answer

We always find 10% first $(\div 10).$

$$10\%$$
 of £8 = £8 $\div 10$ = £0.80

$$5\%$$
 of £8 = £0.80 ÷ 2 = £0.40

$$= £0.80 + £0.80 +$$

$$= £2.80$$

$$(0.35 \times £8 = £2.80)$$

- 1. Write the following fractions as percentages:





	•	•	•	•	•			%	

2. There are 13 black and 7 white disks in a bag. What percentage are black disks?

..... %

3.	Jamie had £40. He spent £12 on a DVD. What percentage of I on the DVD?	nis money did he spend
		%
4.	Work out the following sums:	
,	a. 20% of £30 £ b. 15% of £8 £ c.	35% of £40 £
5.	If 10% of a number is 7, what is the number?	
6.	If 9 is 20% of a number, what is the number?	
		•••••
7.	A jacket costing £60 is reduced by 20% in a sale.	
	a. How much was the jacket reduced in the sale?	
		£
	b. How much was the final sale price?	
		£
8.	Orange squash is made with one part cordial and four parts va. What fraction of the squash is cordial?	vater.

		<u> </u>
	b.	What percentage of the squash is water?
		%
9	lf 1	5% of a number is 30, what is 100%?
•	_	5/0 of a fidiliber is 50, what is 100%.
	_	
10.	Use	e ratio tables to share the following quantities into the given ratio.
a	. 6	60% of 24 = 20% of b. 12% of 36 = % of 6
		ren sees a crazy offer in an advert: ich offer should he go for?
		Offer A Offer B
		Eat 60% of 3 pizzas Eat 25% of 7 pizzas
		Offer:
Ch	al	lenge
1.	Αg	olf club has 400 members. 65% of the members are male. 25% of the female
	me	mbers are children.
	a.	How many male members are in the golf club?

b. How many female children are in the club?

• solve problems involving similar shapes where the scale factor is known or can be found.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-10. If you're raring to go, try the challenge too!

Example 1

Two parcels weigh 360 grams. One parcel weighs twice as much as the other. What is the weight of the heavier parcel?

Answer

The heavier parcel = $2 \times \text{lighter parcel}$ So three lighter parcels weigh 360 g. One weighs 360 g ÷ 3 = 120 g. So, the heavier parcel = $2 \times 120 = 240$ g.

Example 2

Look at these similar shapes.

- a. Find the scale factor for the enlargement.
- b. Find the length of the side marked x.



Answer

- a. Scale factor = $10 \div 5 = 2$
- **b.** $x = 3 \times 2 = 6$ cm
- 1. A pen and a pencil cost 60 pence. If the pen cost twice as much as the pencil, find the cost of the pen.

..... pence

2. If 2 pens cost 80 pence, what do 3 pens cost?

£

3. Larry made a scale drawing of a flat. The scale of the drawing is 1 cm : 2 m. The kitchen is 3 centimetres in the drawing. How long is the actual kitchen?

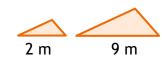
..... m

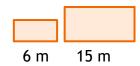
4. Lola makes a scale drawing of a bungalow. The side of the bungalow is 12 metres wide in real life and is 3 centimetres wide in the drawing. What is the scale of the drawing?



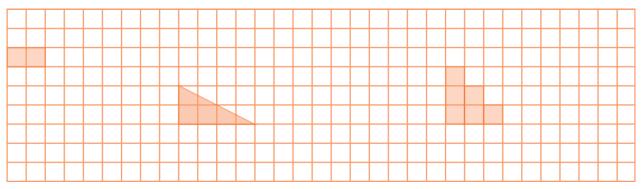
- 5. Complete the following multiplications. You can use the grids to help you.
 - a. Scale factor
- b. Scale factor
- c. Scale factor







- 6. Complete these enlargements using the given scale factor.
 - a. Scale factor = 3
- b. Scale factor = 2
- c. Scale factor = 2



7. The distance from A to B is three times as far as from B to C. The distance from A to C is 80 kilometres. Calculate the distance from A to B.



8. An apple and blackberry pie requires three times as much apple than blackberry. The total weight of apples and blackberries in the pie is 220 grams. How much apple is there in the pie?

..... g

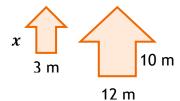
9. A scale drawing is made of a local park. 1 cm on the drawing represents 20 metres on the ground. One path is 7cm long on the drawing. What is the actual length?



- 10. Find the lengths of the side marked x in these similar shapes.
 - a. *x*



b. *x*

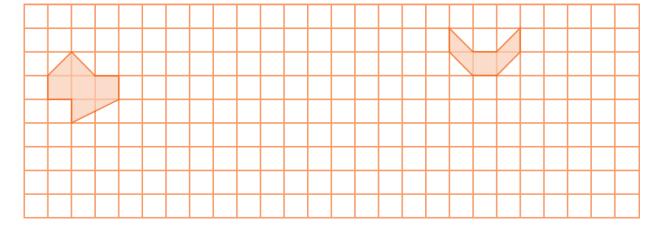


Challenge

1. Complete the following enlargements.

a. Scale factor = 2

b. Scale factor = 3



• solve problems involving unequal sharing and grouping using knowledge of fractions and multiples.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-9. If you're raring to go, try the challenge too!

Example 1

Joe is 14 years older than Marie. Their combined age is 40 years old in total. How old is Joe?

Answer

Take off Joe's extra 14 years, so 40 - 14 = 26

If Joe and Marie now add to 26, then Marie = $26 \div 2 = 13$

So Joe = 13 + 14 = **27 years old**

Example 2

Mr. Tobin spends $\frac{2}{5}$ of her money shopping at a supermarket. She now has £24 left. How much did she have to start with?

Answer

Is she spends $\frac{2}{5}$, then she has $1 - \frac{2}{5} = \frac{3}{5}$ left.

If
$$\frac{3}{5}$$
, or 3 parts = £24,

Then $\frac{1}{5}$, or 1 part = £24 ÷ 3 = £8

So
$$\frac{5}{5}$$
, or 5 parts (whole) = 5 × £8 = £40

1. Erica and Joseph have some marbles. Erica has 8 more marbles than Joseph. If they have 34 marbles together, how many marbles does Erica have?

..... marbles

2. A 16 metre length of string is cut into two pieces. One piece is 6 metres longer than the other, what is the length of the smaller piece of string?

The smaller length is

٥.		gets, Clive gets one. How many oranges do they each	
		Beth	, Clive
4.		g contains red and blue balls. Three-quarters of the bred balls. How many balls are there altogether?	alls are blue and there are
			balls
5.	a. J	is a recipe to make pancakes. ulie has 60 grams of flour. How many pancakes can ne make?	
		pancakes	10 pancakes 120 g flour 150 ml milk
	b. B	en has 100 ml of milk. How much flour will he need?	2 eggs
	L	grams of flour	
6.		and Keith are playing Top Trumps. There are 32 card e, Alex wins with 6 more cards than Keith. How many	•
	L		Alex had cards

7.	Thomas has a bag of sweets. He gives 5 sweets to his friend and eats one third of the remainder himself. If he has 16 sweets left, how many sweets were there in the bag at the start?
	sweets
8.	A teaching assistant is checking the quality of coloured pencils. She finds that $\frac{5}{8}$ of
	the pencils are good but throws away 42 pencils. How many pencils did she check?
	pencils
9.	Hens can lay eggs in three sizes: small, medium and large. $\frac{2}{3}$ of the eggs laid are medium and the remaining eggs are equally small or large. If 8 of the eggs laid during one week are small, how many eggs were laid altogether?
	eggs
Cł	nallenge
1.	A DIY shop stocks three popular colours of paint: blue, red and white. The owner
	likes to keep between 175 and 185 tins of paint. $\frac{2}{9}$ of the paint is blue. For every two
	tins of blue there are three tins of red. How many tins of each colour will he have in stock?
	blue , red , white

Section 3:

Algebra

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example 1

An electrician charges £25 per hour plus a call-out fee of £30.

- a. Using T for the total cost and H for the hours worked, write a formula for the cost of calling out the electrician.
- b. How much did he charge for 4 hours of work?

Answer

a. Total cost = £30 + 25 \times number of hours

Formula,
$$T = 30 + 25 \times H$$

 $T = 30 + 25H$

b. Let H = 4; T =
$$30 + 25 \times 4$$

= $30 + 100 = £130$

Example 2

Alicia is b years of age. Bruce is five years older than Alicia.

- a. Write an expression for Bruce's age.
- b. Their total age comes to 37 years old. Write an equation in terms of b and find Bruce's age.

Answer

- a. '5 more' means add 5. Bruce is 'b + 5' years of age.
- b. Alicia + Bruce = 37

$$b + b + 5 = 37$$

$$2b + 5 = 37 \dots '- 5'$$
 from both sides

$$2b = 32... \div 2'$$

$$b = 16$$

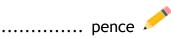
So, Bruce is b + 5 = 16 + 5 = 21 years old.

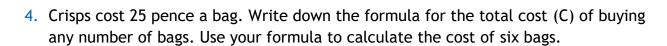
- 1. If **p** has the value of 7, find the value of the following expressions:
 - a. 3p

- b. 11 p c. 2p + 5 d. 20 2p
- 2. The formula for working out the perimeter of a parallelogram is p = 2l + 2h. Work out the perimeter when:
 - a. l = 5 and h = 4
- **b.** *l* = 9 and *h* = 3
- c. l = 1.5 and h = 2.5

3.	The cost of	producing a	box of	rulers is	worked	out as follows:
- •	1110 0050 01	producing a	בסת סו	1 4(C15 15	**************************************	out as lottons.

Cost = number of rulers \times 11 pence + 15 pence for the box.





C = , £

5. A plumber charges £30 an hour plus a £40 fee for turning up.

a. Write a formula for the total cost of calling a plumber out. Use T to stand for the total cost in pounds and H for each hour worked.





£.....

6. If *a* has the value if 3 and *b* has the value of 4, find the following:

.....

......

7. The formula to work out the charges (in pence) a taxi driver makes $T = 80 + 50 \times M$ What would the taxi driver charge if a passenger travelled 7 miles?

£

_			_		_	_	
8.	A chicken	requires 4	5 minutes	cooking tir	ne ner kg.	plus an extra	30 minutes.

a. Write a formula for the cooking time.

.....

b. How long would a large 4 kg chicken take to cook? Give your answer in hours and minutes?

..... hours , minutes

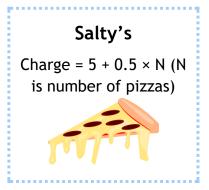
c. A medium chicken took 2 hours (120 minutes) to cook. What was the weight of the chicken in kilograms?

.....kg

Challenge

1. Two pizza shops advertise the following payments for deliveries.





a. Mrs Jacques wants to order three pizzas. Which shop should she choose?

.....

b. Mr Jones paid £9 for the delivery of several pizzas for his son's party from Salty's shop. How much would it have cost if he had bought the same number of pizzas from Peppa's?

£

generate and describe linear number sequences.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-7. If you're raring to go, try the challenge too!

Example 1

Find the missing number in each sequence and write down the rule.

Answer

- a. 16 8 = 8. So we 'add 8' each time.
 - 8 16 24 32 40 48
- b. 71 59 = 12 (for two jumps). So for 1 jump, $12 \div 2 = 6$. We 'subtract 6' each time. 71 65 **59** 53 **47** 41

Example 2

Complete the table for the matchstick sequence below.



Shape	1	2	3	4	10	20
Number	5	9				
Rule						

Answer

The pattern goes up in 4s (+4 each time).

This means that the rule has 'x4' in it.

For the first shape $1 \times 4 = 4$. To get '5' we need to add 1... rule is ... × 4 + 1.

$$10^{th}$$
 shape = $10 \times 4 + 1 = 40 + 1 = 41$

$$20^{th}$$
 shape = $20 \times 4 + 1 = 80 + 1 = 81$ (not 82)

- 1. Write in the missing numbers to complete the following sequences.
 - a. 1, 4,, 10,, b. 4, 10,, 28,,
- - c. 2,, 14, 20,, d. 30,, 22,,
- 2. The rule for a sequence is given by:



If the first term is calculated by $1 \times 4 - 3 = 4 - 3 = 1$, complete the next four terms:

1,,,,

3. Write in the missing numbers to complete the following sequences.

a.

In	Function	Out
2		
5	× 5 - 2	
	x 3 - Z	18
		33

b.

In	Function	Out
4		
8	÷ 2 + 3	
		8
		18

4. Write in the missing numbers to complete the following sequences.

Position of number	1	2	3	4	20
Rule					
Number sequence	7	10	13	16	

5. Write in the missing numbers to complete the following sequences.

Rule	× 7 - 5					
ln	4	6	•••••	9	•••••	
Out			9		51	

6. Write in the missing numbers to complete the following sequences.

a. 7,, 25 b. 10,, 46

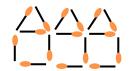
c. 3,, 27

7. Look at this matchstick sequence.

a. Draw a shape in the pattern (containing 4 'houses').









b. Complete the table:

Number of houses	1	2	3	4
Number of matchsticks	6	•••••	•••••	•••••
Rule		• • • • • • • • • • • • • • • • • • • •		

Challenge

- 1. Look at this matchstick sequence.
 - a. Write down the rule for the sequence.Use M for matchsticks and N for the term number.







b. Louise has 50 matchsticks. Will she be able to use all of these to make a pattern of complete houses in the above pattern or will she have any spare? Explain your reasoning.

•••••			
•••••			
•••••			
•••••			
•••••	•••••		
• • • • • • • • • • • • • • • • • • • •	• • • • • • • • • • • • • • • • • • • •	• • • • • • • • • • • • • • • • • • • •	•••••

express missing number problems algebraically.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-11. If you're raring to go, try the challenge too!

Example 1

Fill in the missing numbers.

Answer

We can use inverse operations +/- and ×/÷ act as opposites.

a.
$$12 - 7 = 5$$

b.
$$7 + 9 = 16$$
 ... so $2 \times$ = 16 then = $16 \div 2 = 8$

Let **x** be the unknown.

Example 2

An online shop sells t-shirts for £9 and charges £4 for delivery. The shop calculates the total cost using the formula C = 9n + 4, where n is the number of t-shirts per order.

- a. Find the cost of buying eight t-shirts.
- b. Fiona paid £112 for some t-shirts. How many did she buy?

Answer

- a. For 8 t-shirts, $C = 9 \times 8 + 4 = 72 + 4 = £76$
- b. For £112 spent, $9n + 4 = 112 \dots '-4' \dots$

$$n = 12$$

Fiona paid £112 for 12 t-shirts

1. Find the missing numbers:

c.
$$3 \times \dots + 5 = 14$$

2. Find the value of the letters in the following equations:

a.
$$p + 17 = 30$$

c.
$$2r + 3 = 35$$

3. A taxi driver charges a £3 pick-up fee and then £2 per mile. Circle the formula that he uses to calculate the cost of a journey.

$$3m + 2$$

$$2m + 3$$

4.	The letter f is 7 less than the letter g .	
	Write two equations that show the relationship between	f and g .

	=

5. By solving this multiplication table, find the values of a, b, c and d.

×	а	b
4	28	36
с	d	27

$$a =, b =, c =, d =$$

6. Robert thinks of a number. He multiplies it by 7 and subtracts 5. He ends up with 23. What number did he start with?

Number = ...

7. Five cauliflowers cost £2. If three cauliflowers and one broccoli cost £1.50, find the cost of two broccoli.

..... pence

8. a. If t = 15, find the value of 3t - 20.

.....

b. Find the value of d when 20 - 3d = 8

.....

- 9. Solve these equations by finding the value of x:
 - a. 2x + 5 = 23

x =

b. 7**x** - 12 = 30

x =

10. Eric thinks of a number. ends up with 75. What n	•	dds 7 and multiplies that result by 5. He irst think of?
		Joe adds 15 to the number. Ted multiplies e answer. What was the original number?
Challenge		
1. Here are two equations:		
z	z = 3y + 5	x = 30 - z
If the value of \mathbf{y} is 6, fin	d the value of x .	

- find pairs of numbers that satisfy an equation with two unknowns
- enumerate possibilities of combinations of two variables.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example 1 Example 2 Example 3 Two numbers add up to If 5m - 3n = 14, find Find two solutions to 6c - 5d =28. Both numbers are a. the value of n when m =19 less than 20. What could they be? b. the value of m when n =Answer Build tables for 6*c* and 5*d*: Answer 6c: 6, 12, 18, 24, 30, 36, 42, x + y = 28**Answer** 48,... Start with 19 + 9 = 28a. $5 \times 4 - 3n = 14$ 5d: 5, 10, 15, 20, 25, 30, 35, 18 + 10 = 2820 - 3n = 14(20 - 14)40.... 17 + 11 = 28 $3n = 6 (6 \div 3)$ The first one is 24 - 5 = 1916 + 12 = 28n = 2where c = 4, d = 1. 15 + 13 = 28**b.** $5m - 3 \times 7 = 14$ The second one is 54 - 35 = 1914 + 14 = 28 ... 5m - 21 = 14(14 + 21)where c = 9, d = 7. then repeats ... $5m = 35 (35 \div 5)$ m = 7

	1.	Two numbers	add to give 12.	Write down all th	ne possible numbers
--	----	-------------	-----------------	-------------------	---------------------

- 2. Find all the possible solutions to the following equations:
 - a. x + y = 10



b. x - y = 5 (both numbers positive and less than 10)

3. Fill in the gaps for each of these equations:

a.
$$x + y = 12$$

b.
$$4x + y = 20$$

i.
$$x = 5, y = \dots$$

i.
$$i.x = 3, y = \dots$$

ii.
$$x =, y = 12$$

4. In the equation, 4p = q, both p and q are whole numbers less than 30. Write down all the possible solutions for the equation.

		Bu	ild up the	4 times tab	le:	
q	1	2				
р	4	8				

5. If 3g - 2h = 7, find the value of:

a.
$$g$$
 when $h = 4$ $g =$

6. Write down 2 possible solutions to the following:

a.
$$4x + 3y = 30$$

b.
$$4x - 3y = 12$$

.....

......

7. Write down four possible pairs of numbers for the equation 3s - 5 = t.

s =, t =	s =, t =
s =, t =	s =, t =

8. In the equation, 3e - 2f = 4, both numbers e and f are less than 12. Find all the possible pairs of e and f that satisfy this equation:

Challenge

1. Find **one** solution that is true for the pairs of equations.

a.
$$r + s = 16$$
, $r - s = 6$

b.
$$v + w = 7$$
, $3v + 2w = 16$

Section 4:

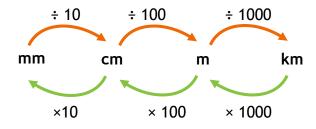
Measurement

- solve problems involving the calculation and conversion of units of measure, using decimal notation up to three decimal places where appropriate
- use, read, write and convert between standard units, converting measurements of length, mass, volume and time from a smaller unit to a larger unit, and vice versa, using decimals up to three decimal places.

Look at the examples and answer the questions. If you are anxious, try questions 1-8. If you're feeling confident, try questions 1-11. If you're raring to go, try the challenge too!

Example

Remember the following:



One tin of baked beans weighs 425 g. Tins are sold in packs of 4. How much do 3 packs weigh? Give your answer in kg.

Answer

3 packs of 4 = 12 tins of beans. So 12 tins weigh 12×425 g.

Now $12 \times 425 g = 5100 g$.

Since 1 kg = 1000g, then $5100 g = 5100 \div 1000 kg$

= 5.1kg

	4	2	5		
×		1	2		
	8	5 ₁	0		
4	2	5	0		
5 ₁	1 ₁	0	0		

Resource 1: solve problems involving units of measure

1.	Cor	nvert the followir	ig metr	ic units:				
	a.	4.5 km to m	\rightarrow	•••••	b.	3.6 m to cm	\rightarrow	
	c.	3.45 kg to g	\rightarrow		d.	0.85 cm to mm	\rightarrow	
	e.	1.375 l to ml	\rightarrow		f.	3250 g to kg	\rightarrow	
	g.	65 cm to m	\rightarrow	•••••	h.	875 m to km	\rightarrow	•••••
2.				ve days a week. S one week of scho				
3.				or a party. Each cu she need in litres	-	an hold 295 ml of	juice.	If she fills 20
4.	A sı	mall parcel weigh	ns 145 g	rams. How much	do r	nine parcels weigh	ı in kilo	grams?
5.		swim 200 metres 3 kilometres?	each d	lay. How many day	/S W	rill it take me to s	wim th	e equivalent



Resource 1: solve problems involving units of measure 6. How many weeks and days is 53 days equal to? 7. A film at the cinema lasts for 1 hour and 40 minutes. If the film starts at a guarter to two in the afternoon, at what time did it finish? 8. A pencil weighs 11 g . A box for 12 pencils weighs 15 g. Calculate the weight of 10 boxes of 12 pencils. Give your answer in kilograms. 9. Mandy has a 1 litre carton of orange juice. She fills five glasses with it. She puts 160ml of juice in each glass. How much juice does she have left?

10.	Paula	walks	4.62	km dur	ing a	week,	Kate	walks	4 ³ / ₄	km	and	Alex	walks	4560	m

a.	Who	walks	the	furt	hest?
----	-----	-------	-----	------	-------

b.	How far do they walk in total?	
	km	1

- 11. There are 24 screws in a small pack. Each screw weighs 7 g.
 - a. How much do 30 packs weigh in kilograms?



b. How many packs would Tim need to buy if he wanted $\frac{1}{2}$ kg of screws?

•	•	•	•		•	•	•	•	•	•	•	•		р	а	C	:k	S	

Challenge

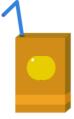
1. A shop sells cartons of juice using the following offers:

Offer A

One litre costs 79 pence

Offer B

A pack of eight 300ml cartons for £2



Thelma wants to buy 9 litres of juice for a party. Which offer should she use to buy her juice?



2. Seven identical books are placed on a shelf which is half a metre long. If each book is 6.4 cm in width, what is the gap left on the end? Give your answer in millimetres.



convert between miles and kilometres.

Look at the examples and answer the questions. If you are anxious, try questions 1-4. If you're feeling confident, try questions 1-7. If you're raring to go, try the challenge too!

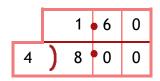
Example

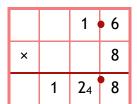
5 miles = 8 kilometres

- a. Convert 13 miles into kilometres.
- b. Convert 100 km into miles.

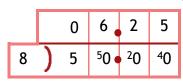
Answers

a. 5 miles = 8 km (÷ 5) 1 mile = 1.6 km (×8) 13 miles = 12.8 km





b. 8 km = 5 miles (÷8)1 km = 0.625 miles (×100)100 km = 62.5 miles



1. Convert the following distances into kilometres:

a. 10 miles

b. 25 miles

c. 3 miles

2. Convert the following distances into miles:

a. 24 km

b. 56 km

c. 10 km

•••••

•••••

3. Complete the following table:

Distance in miles	Distance in km
15 miles	
	32 km
	200 km
18 miles	
100 miles	
	3.6 km

4	Complete	the	foll	owing.
┱.	Complete	LIIC	100	willig.

- **a.** 1 mile = km
- b. 9 miles = km
- c. 27 miles = km

- **d.** 8 km = miles
- e. 20 km = miles
- f. 52 km = miles
- 5. In the UK, the maximum speed limit on motorways is 70 mph. In Spain, the maximum speed limit is 130 km/h. Which country has the higher speed limit?

.....

6. David ran 4.5 miles. Jenny ran 7 km. Who ran further and by how much?

km

Resource 2: convert between miles and kilometers

7.	Michael wants to complete 100 miles over three days. On day one, he cycles 50 km. On day two, he cycles 10 miles less than he did on day one. How far does he have to cycle on the third day?			-	
Cł	nallenge				
1.	. Two runners look at how fast they can run. Alisa can run at 7 miles per hour. Jasmine can run at 3 metres per second. Who runs faster?				
	You may need to know: 1 hour = 3600 seconds.				
2.		wants to compare the hire contravel 360 miles. Which cou			
	The table sh	ows you the individual costs.	You will need to know: 1 gal	lon = 4.5 litres	
		England	Germany		
		40 miles to the gallon £1.20 per litre of petrol	16 kilometres to the litre £6 per gallon of petrol		

	•••••	• • • • • • • • • • • • • • • • • • • •
£1.20 per litre of petrol	£6 per gallon of petrol	
40 miles to the gallon	16 kilometres to the litre	



 recognise that shapes with the same areas can have different perimeters and vice versa.

Look at the examples and answer the questions. If you are anxious, try questions 1-4. If you're feeling confident, try questions 1-6. If you're raring to go, try the challenge too!

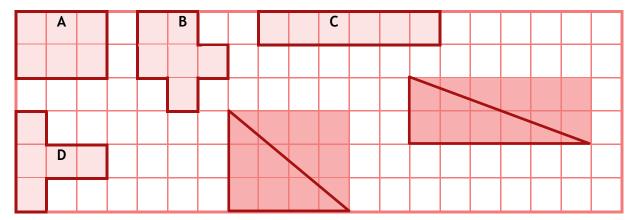
Example

Remember: Area = length x width or a = l x w



Perimeter = $2 \times length$ and $2 \times width$ or P = 2l + 2w

The grid below contains four shapes.



a. Which shapes have the same perimeter?



- b. Which shape has a different area to the others?
- c. Draw a triangle with the same area as rectangle C.

Answers

	A	В	С	D
Perimeter	10 cm	12 cm	14 cm	12 cm
Area	6 cm ²	6 cm ²	6 cm ²	5 cm²

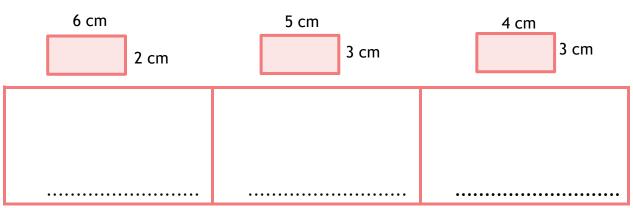
- a. Shapes B and D have the same perimeter of 12 cm. Shape D has a different area of 5 cm².
- b. For a triangle with an area of 6 cm², we have to think of cutting a rectangle with an area of 12 cm² in half. This could be: 12×1; or 6×2 and 4×3 as shown by the shaded diagrams above.

1. Write down the area and perimeter of the following rectangles.

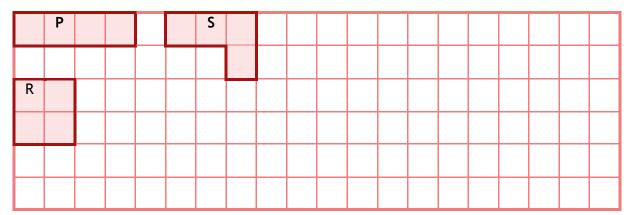
a.



C



2. Look at the shapes in the grid below.



a. Which two shapes have the same perimeter?.....



- c. Draw a shape with an area of 6 cm². Find the perimeter.
- 3. Use the formula to find:
 - a. The perimeter of the following rectangle:

7 cm 5 cm



b. Find the length if the perimeter = 40 m

w m

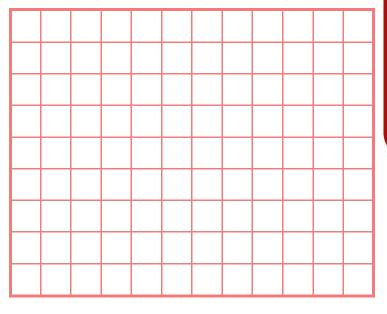
$$P = 40 \text{ m}$$

8 m



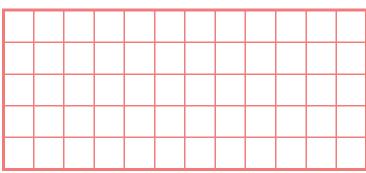
4. Use the grid opposite to draw:

Two shapes with a perimeter of 10 cm, but with different areas.



5. Use the grid opposite to draw:

Two shapes where the perimeter is **twice** its area.



6. The following shapes are made by using rectangles measuring 6 cm by 3 cm.



a. Work out the perimeter of the following shape:

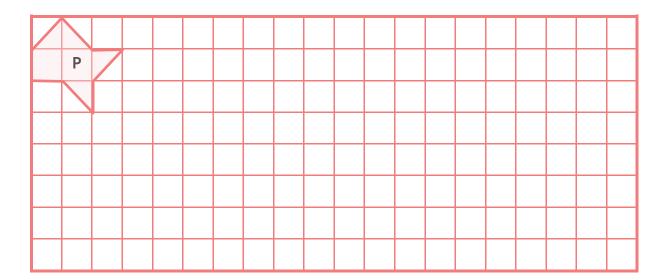


b. Work out the perimeter of the following shape:



Challenge

- 1. Draw at least three shapes that have the same area and perimeter as shape P.
- 2. Draw two shapes which have a smaller area than P but have a larger perimeter.



- recognise when it is possible to use formulae for area and volume of shapes
- calculate, estimate and compare volume of cubes and cuboids using standard units, including cubic centimetres (cm³) and cubic metres (m³), and extending to other units.

Look at the examples and answer the questions. If you are anxious, try questions 1-4. If you're feeling confident, try questions 1-6. If you're raring to go, try the challenge too!

Example

Use the following formulae to find the volume and area of shapes

$$A = lxw$$

 $P = lxwxh$



A tank in the shape of a cuboid measures 30 cm by 30 cm by 9 cm.

A leaky valve lets water out at a rate of 27 cm³ every minute.

How long will it take to empty if the tank was half full?

Answer

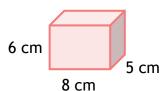
Volume of water in tank = $l \times w \times h$

$$=30\times30\times9$$

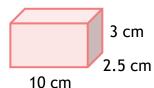
 $= 8100 \text{ cm}^3$

1. Find the volume of the following cuboids:

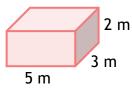
a.



b.

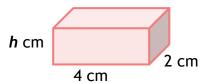


c.





2. The volume of this cuboid is 24 cm³. Calculate its height.

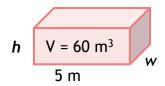


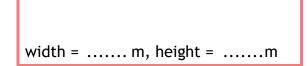
h =	 	cm

3. Find three different ways to make a cuboid with a volume of 30 cm³.

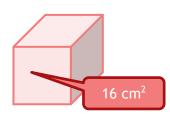
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• • • • • • • • • • • • •	•••••		•••••	•••••	• • • • • • • • • • • • • • • • • • • •

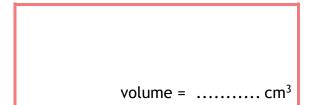
4. A cuboid has a volume of 60 m^3 . If the length of the cuboid is 5 metres, what could its width and height be?



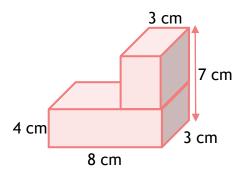


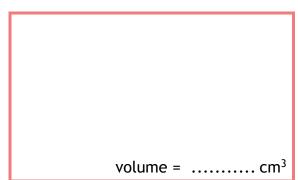
5. One face of a cube has an area of 16 cm². What is the volume of the cube?





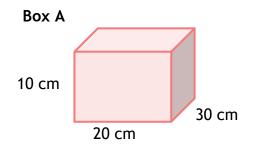
6. Find the volume of this shape. All dimensions are in centimetres.





Challenge

1. Calculate the volume of the following two boxes:



20 cm 25 cm

Box A volume.....

Box B volume

b. The two boxes are filled with water. Which box will hold the most water?



• calculate the area of parallelograms and triangles.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-9. If you're raring to go, try the challenge too!

Example 1

Look at this triangle.

Work out its area by:

- 2 3 7 8
- a. Counting squares
- b. Using the formula.

Answer

- a. Numbering the squares including halves, the area is 9 square units
- b. Area = base \times height \div 2 $= 6 \times 3 \div 2 = 18 \div 2 = 9 \text{ cm}^2$

Example 2

Calculate the area of this parallelogram.



Answer

Remember SNOTS - Say No To Slants

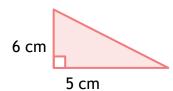
Area = base × height =
$$5 \times 3$$

= 15 m^2

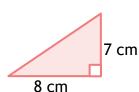
SNOTS works for all shapes with any sloping sides, remember to ignore them!

1. Find the areas of these triangles.

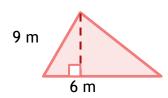
a.



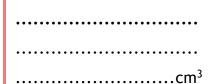
b.



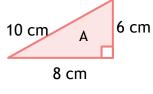
c.



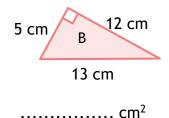




2. Which triangle is bigger?



..... cm²

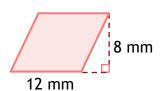


Triangle is bigger.

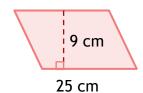
Resource 5: calculate the area of parallelograms and triangles

3. Find the areas of these triangles.

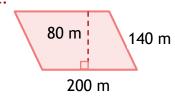
a.



b.



c.

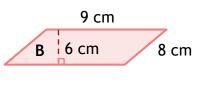


.....

.....

4. Which parallelogram is the smaller?

9 cm A 7 cm



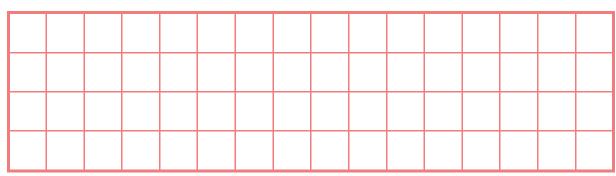
..... cm² ...

Parallelogram is smaller.

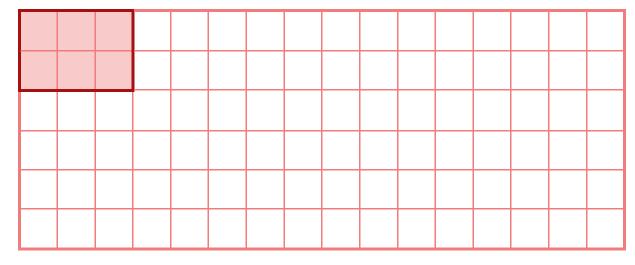
5. On the grid below draw the following shapes with an area of 4 square units:

a. Triangle

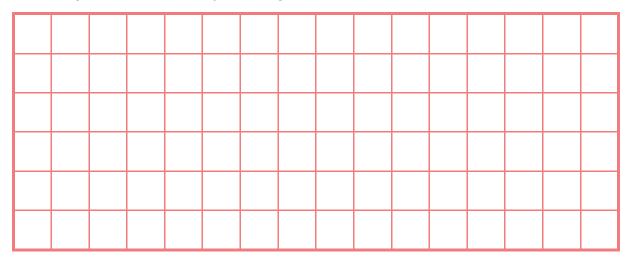
b. Parallelogram



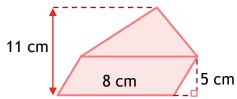
6. Draw two different triangles which have same area as the rectangle below:



7. On the grid below, draw a parallelogram with an area of 16 cm².

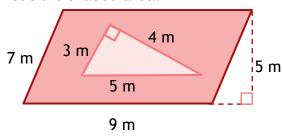


8. Find the area of the following shape.





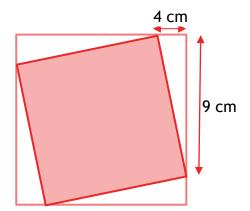
9. Work out the shaded area.

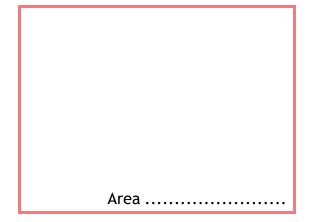




Challenge

- 1. A larger square has a smaller (shaded) square drawn inside it, as in the diagram.
 - a. Calculate the area of the larger square.





Section 5:

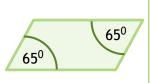
Geometry

- solve problems involving the calculation and conversion of units of measure, using decimal notation up to three decimal places where appropriate
- use, read, write and convert between standard units, converting measurements of length, mass, volume and time from a smaller unit to a larger unit, and vice versa, using decimals up to three decimal places.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example 1

Find the size of the obtuse angle in a parallelogram if two opposite angles are 65°.



Answer

Opposite angles are equal and all four angles add up to 360° .

So far,
$$65^{\circ} + 65^{\circ} = 130^{\circ}$$
. $360^{\circ} - 130^{\circ} = 230^{\circ}$

Obtuse angle =
$$230^{\circ} \div 2 = 115^{\circ}$$

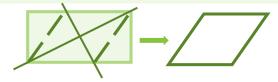
Obtuse aligie – 230° ÷ 2 – 113°

Example 2

Take this rectangle. Draw two straight lines to make a rhombus.



Answer



Remember all the sides are equal. The bold lines represent diagonals that cut at right angles.

1. One angle in a parallelogram is 72° . Find the size of the other angle.

.....0

2. One angle in an **isosceles triangle** is 50°. Find the size of the other angles.

.....0,0

3. Here are five triangles. Write down the letter of each triangle that has a right angle.

a.

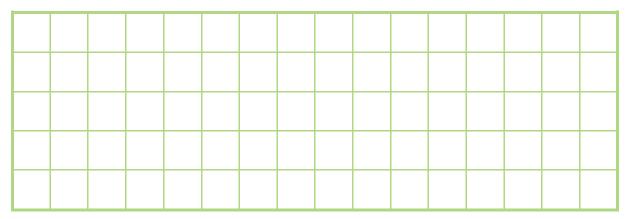
b.

c.

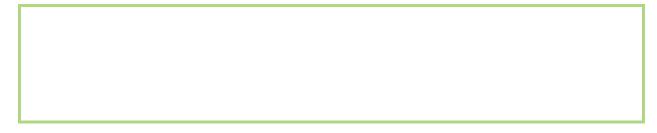
d.

e.

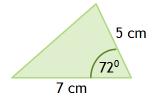
4. Draw three different hexagons that contain at least one right angle.



5. Using a ruler and a protractor or set square, draw a 8 cm x 3 cm rectangle.



6. Here is a sketch of a triangle. It is not drawn to scale. Using a pencil, ruler and a protractor, draw an accurate drawing of the triangle below.



- 7. On each parallelogram draw one line to make a:
 - a. Rhombus

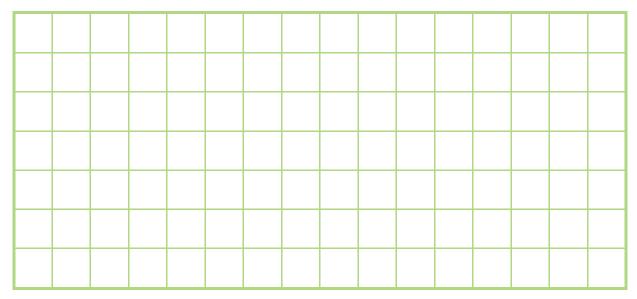
b. Trapezium





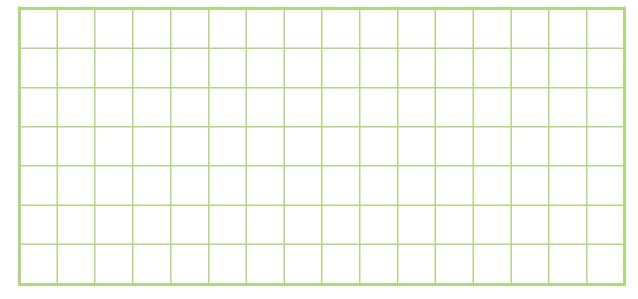
8. A kite has a perimeter of 20 cm. If one of the sides measures 4 cm, find the lengths of the other sides.

Draw an accurate diagram of your kite below.



Challenge

1. Draw to the exact size a **rhombus** with side lengths of 6 cm and one of the angles equal to 60° . Use a pencil, ruler and protractor.

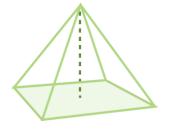


• recognise, describe and build 3D shapes, including making nets.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-7. If you're raring to go, try the challenge too!

Example 1

Look at this squarebased pyramid. Complete the table.



Fill in the spaces in the net of the cube below according to the following rules:

Example 2

1 is opposite 4 2 is opposite 5

3 is opposite 6



Answer

Vertices (vertex is single) are the corners. Edges are the drawn lines.

Faces are the surfaces.

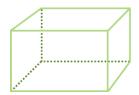
Faces	Edges	Vertices
5	8	5

Answer

Opposite faces don't touch each other (on an edge).

			3
1	2	4	5
	6		

1. Link the shape to its correct name.









Sphere

Triangular prism

Cuboid

Tetrahedron

2. Name a shape with six faces. There may be more than one.

Resource 2 – recognise, describe and build simple 3D shapes

3. Write the names of theses shapes in the correct places below.

CuboidTriangular prismCylinderHexagonal prismConeSphereCubeSquare-based pyramidTetrahedron

	At least one square face	No square faces
Curved face		
No curved face		

4. Draw a ring around the correct net of the cube shown.









5. Complete the table below.

	Number of faces	Number of vertices	Number of edges
Cuboid			
Cylinder			
Tetrahedron			
Hexagonal prism			
Cube			

6. Name the shapes.

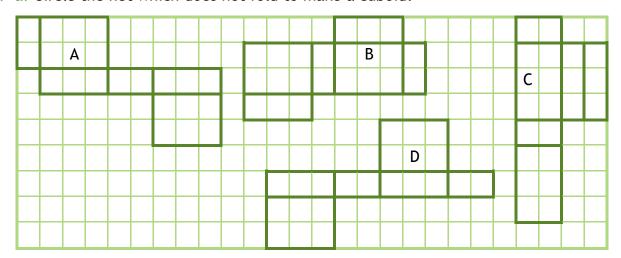
Shape properties	Name of shape
6 rectangular faces, 12 edges and 8 vertices	
1 curved face, 1 flat face, 1 vertex and 1 edge	
7 flat faces, 15 edges and 10 vertices	
1 curved face, no edges and no vertices	

7. On the grid below draw the shape the net below makes.

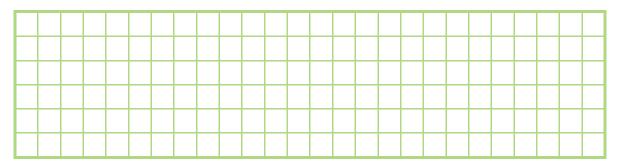


Challenge

1. a. Circle the net which does not fold to make a cuboid.



b. Draw at least two more nets to make a cuboid.



2. A **truncated cube** is made by cutting off each of the eight corners. The **first one** has been done for you. Visualise the shape and complete the table below.

Triangular faces	Octagonal faces	Edges	Vertices	

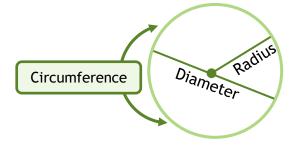
In this task, you will:

• recognise, describe and build 3D shapes, including making nets.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-6. If you're raring to go, try the challenge too!

Example

Here are the parts of circle.



1.	The	radius	of a	circle is	12 cm.	What is	its dia	meter
	1110	Iuuius	OI U			TTIIQL IS	ics aid	

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ı	
ı	
ı	
ш	

2. The diameter of a circle is 7 m. What is its radius?



3. Label the parts of the circle.



- 4. Jenny measures the radius of her dinner plate as 9 cm.
 - a. What is the diameter of her dinner plate?



b. The diameter of her teacup is 10 cm. What is its radius?



c. Jenny decorates some Easter eggs by tying ribbon around the circumference of each egg. She knows that the circumference of each egg is 36 cm. How much ribbon will she need to decorate five eggs?



- 5. Dale measures the radius of a 10p coin as 12 millimetres. He lines up as many as he can until he reaches 1 metre.
 - a. How many 10p coins will he have altogether?



b. What is the total value of this?

6. Danni stacks 2p coins to make a tower.

She finds that a stack of 14 coins is the same height as that of a single two pence coin standing on its end. If the radius of the coin is 14 mm, what is the thickness of one 2p coin?



Challenge

Three large circles and five small circles fit exactly inside this rectangle.
 The radius of the small circle is 6 centimetres. Find the diameter of the larger circle.



2. Nine circles are enclosed in a square, as shown in the diagram below. If the radius of one of the circles is 2cm long, what is the **area** of the square?



In this task, you will:

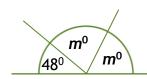
• recognise angles where they meet at a point, are on a straight line, or are vertically opposite, and find missing angles.

Look at the examples and answer the questions. If you are anxious, try questions 1-5. If you're feeling confident, try questions 1-8. If you're raring to go, try the challenge too!

Example 1

Example 2

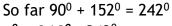
Find the size of angle m.



Find the size of angle **n**.

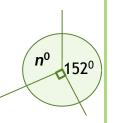
Answer

Angles in a circle (full turn) = 360°



$$n^0 = 360^0 - 242^0$$

$$n^0 = 118^0$$



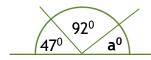
Answer

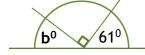
Angles on a straight line = 180° .

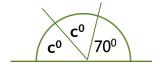
So far, $180^{\circ} - 48^{\circ} = 132^{\circ}$.

So,
$$m^0 = 132^0 \div 2 = 66^0$$

1. Find the missing angle in each of the following diagrams.









 $a^0 = 0$

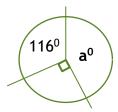
b⁰ = 0

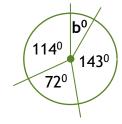
c⁰ - 0

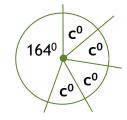
2. Meza says she can draw three angles together and make a perfect straight line. She uses the angles 49°, 74° and 67°. Is she correct? Show your working out.

.....

3. Find the missing angle in the following diagrams:







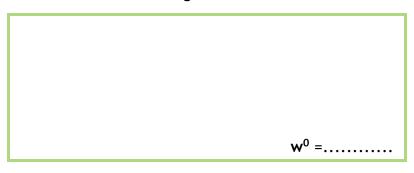


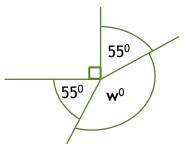
a⁰ =.....

b⁰ = ⁰

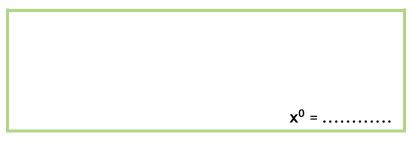
c⁰ = ⁰

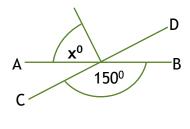
4. Calculate the size of angle w.





5. AB and CD are straight lines. Find the size of angle x.



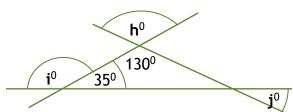


6. Three angles meet at a point. One angle is twice the size of the other and the third angle is 60° . Find the size of the two missing angles.



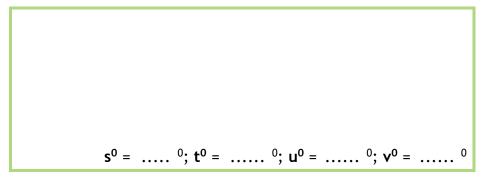


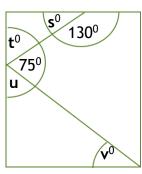
7. Find the size of the angles outside the triangle.



 $h^0 = \dots 0$ $j^0 = \dots 0$ $j^0 = \dots 0$

8. Find the size of the unknown angles inside this rectangle.

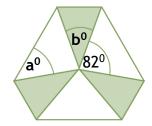




The shape below has three identical white tiles and three identical grey tiles.
 The sides of each tile are all the same length.
 Opposite sides of each tile are parallel.
 One of the angles is 82°.

a. Calculate the size of **angle a**⁰.





b. Calculate the size of angle b⁰.

 $b^0 = \dots^0$

Resource 1- draw, translate and reflect simple shapes in four quadrants

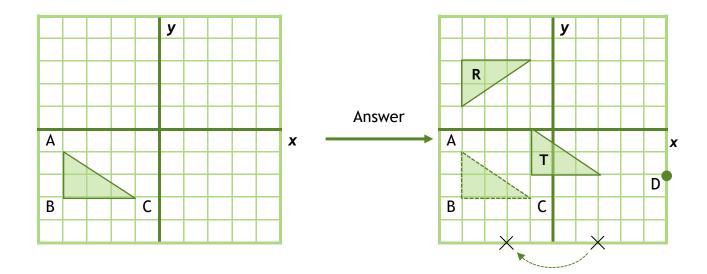
In this task, you will:

- describe positions on the full coordinate grid (all four quadrants)
- draw and translate simple shapes on the coordinate plane, and reflect them in the axes.

Look at the examples and answer the questions. If you are anxious, try questions 1. If you're feeling confident, try questions 1 and 2. If you're raring to go, try the challenge too!

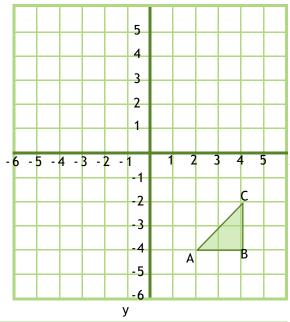
Example

- 1. Write down the coordinates of point A. Coordinates of A = (-4,-1).
- 2. Draw the point D with coordinates (5,-2). See diagram below.
- 3. Translate the triangle ABC 3 to the right and 1 up. Label this T. See diagram below.
- 4. Reflect triangle ABC in the x-axis. Label this R. See diagram below.
- 5. What are the coordinates of the point that would reflect in the y-axis to give (2, -5)? Coordinates = (-2, -5)

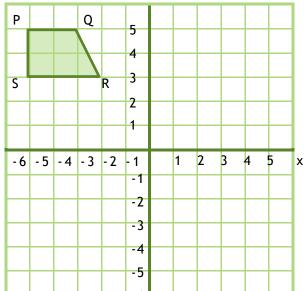


Resource 1- draw, translate and reflect simple shapes in four quadrants

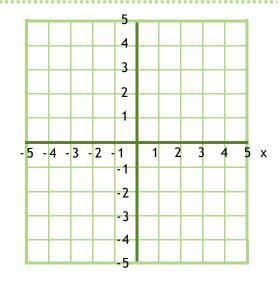
- 1. Use the grid opposite.
 - a. Write down the coordinates of A. Answer: $A = (\dots, \dots)$
 - b. Plot the point **D** (-1, 5).
 - c. Translate the triangle ABC 2 units to the left and 5 up. Label it T.
 - d. Reflect triangle ABC in the y-axis. Label it.



- 2. Use the grid opposite.
 - a. Write down the coordinates of
 - b. Plot the point V (0, -6).
 - c. Translate the quadrilateral PQRS 5 units to the right. Label it A.
 - d. Reflect PQRS in the x-axis. Label it В.



- 1. Use the grid opposite. Write the new coordinates when:
 - a. (2, 5) is translated 3 units to the left. (.....)
 - b. (0,-2) is translated 2 units up.
 - (.....) c. (-4,1) reflected: i. in the x-axis (.....) ii. in the y-axis (.....)



Section 5:

Statistics

In this task, you will:

 recognise angles where they meet at a point, are on a straight line, or are vertically opposite, and find missing angles.

Look at the examples and answer the questions. If you are anxious, try questions 1-4. If you're feeling confident, try questions 1-6. If you're raring to go, try the challenges too!

Example 1

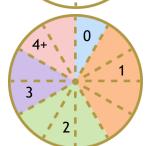
The table shows the number of goals scored by a hockey team over a series of 24 games. Draw a pie chart to show these results.

Goals scored	0	1	2	3	4 or more
Total	2	8	6	4	4



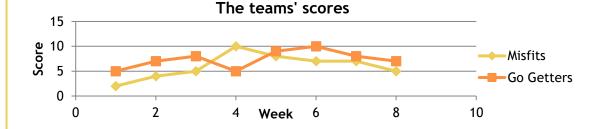
Answer

= 2 games



Example 2

The line graphs show the average scores two teams, the Misfits and the Go-Getters, scored each week for the last eight weeks.



- a. In which week did the two teams have the biggest difference in scores?
- b. In which weeks were their combined scores the largest?

Answer

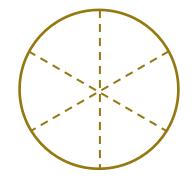
- a. Week 4 (difference = 10 5 = 5).
- b. Weeks 5 and 6 have the biggest total of 17 (9 + 8) and 10 + 7.

Resource 1: interpret and construct pie charts and line graphs

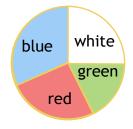
1. The table below shows the votes for three competitors in a competition.

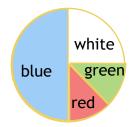
Complete the pie chart to illustrate the information.

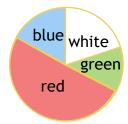
A	В	С
3	9	6



2. The following pie charts show favourite colours. Match each statement to the correct pie chart.









If four people chose red then eight people chose blue.

One quarter of the people chose red.

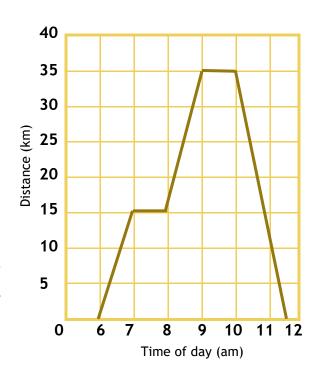
The same number of people chose red and green.

About 20% of the people chose white.

3. The graph shows an outing taken by Joe last Saturday.

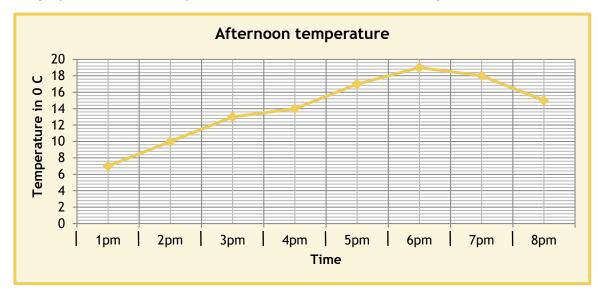
Read the graph carefully and fill in the blanks.

- a. Joe first stopped at am.
- b. He travelledkilometres in the first hour.
- c. By 9am, he had travelledkilometres.
- d. He shopped for..... hours.
- e. His journey home took hours.
- f. His whole outing took hours.



Resource 1: interpret and construct pie charts and line graphs

4. The graph shows the temperature recorded each hour during an afternoon.



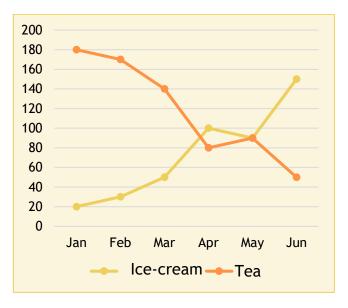
- The line graph shows the sales of icecreams and cups of tea at a small cafe.
 - a. How many ice-creams were sold in March?

b. How many more ice-creams than cups of tea were sold in June?

.....

c. How many cups of tea would you expect to sell in July?

.....



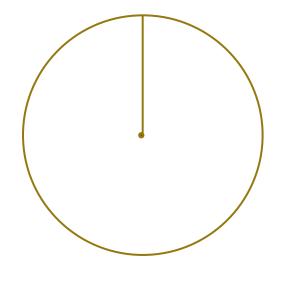


Resource 1: interpret and construct pie charts and line graphs

Complete the following pie chart. Forty pupils were asked what their favourite type of crisps were.

Complete the pie chart to illustrate the information.

Flavour	Frequency	Angle
Beef	14	
Chicken	10	
Cheese and onion	5	
Plain	11	
Total	40	



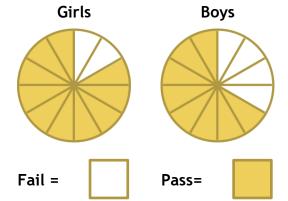
Challenge

1. The pie charts show the results of a reading test.

a. Eight girls fail the test.
How many girls pass the test?

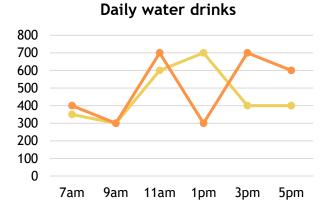
..... girls.

b. The same number of boys took the test. How many boys failed the test?
......boys.



2. The graph shows how much water is drunk during two days. On which day was most water drunk?





Thursday ——Saturday

Which day do you think was warmer and why?

.....

In this task, you will:

calculate and interpret the mean as an average.

Look at the examples and answer the questions. If you are anxious, try questions 1-6. If you're feeling confident, try questions 1-10. If you're raring to go, try the challenge too!

Example 1 Example 2

The mean of three numbers is 4. If one of the numbers is 5, what could the other two numbers be?

A gymnast has averaged 5.3 in her first four events. What score does she need to achieve in her next event to increase her mean to 5.4?

Answer

The **total** of the three numbers = $3 \times 4 = 12$

Now 12 - 5 = 7. So the other two numbers must add up to 7.

These could be: 6 and 1, 5 and 2, 4 and 3.

Answer

Total of the first four scores = $4 \times 5.3 = 21.2$ For a mean of 5.4, her total = $5 \times 5.4 = 27.0$ Her fifth score must be: 27.0 - 21.2 = 5.8

1.	Find t	he	mean	of	the	follov	ving	sets	οf	numb	ers:
١.	i iiiu c		mean	O1	CITC	101101	viiig	3663	O1	Hullib	C13.

a. 4, 6, 3, 7

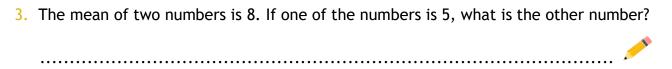
b. 3, 8, 8, 4, 7

c. 1, 0, 9, 6, 4, 10.....

2. The midday temperatures were recorded in the table for the last six months of 2018. Find the mean temperature.

July	August	September	October	November	December
18°C	20°C	17°C	15°C	14°C	12°C

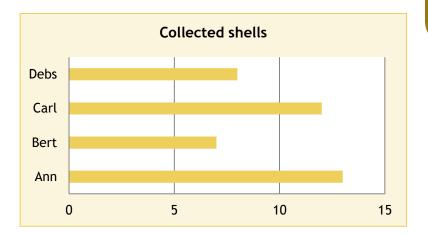
The mean is



4. The mean of two numbers is 3. What could the two numbers be?: Give three possible pairs of answers.

.....,,,

5. Four friends are collecting shells on a beach. Find the mean number of shells collected.



6. The mean of three numbers is 7. If two of the numbers are both 4, what is the third number?

7. During a game of basketball, Mike scored 14, 9 and 11 points in the first three

score a mean of 12 points per quarter for the whole game?

quarters. How many points does he need to score in the fourth quarter in order to

8. Find the missing number 4, ?, 7, 3, when the mean is 6.

......

9. The mean of five numbers is 11. The mean of two of the numbers is 14. What is the mean of the three numbers?

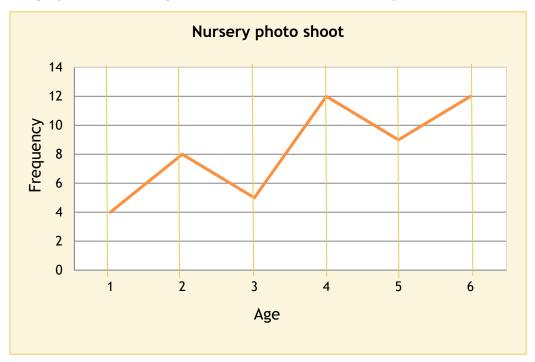
......

10.	The mean	of seven	numbers	is 3.	The mean	of	another	five	numbe	ers is	15.	What	is
	the mean o	of all tw	elve numb	ers p	out togethe	r?							

•••••

Challenge

1. The line graph shows the ages of toddlers who attended a photo shoot.



Calculate their mean age in years.

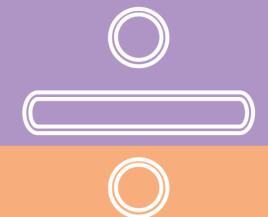
Mean

Teacher's section

HOME LEARING

for year 6

Maths





Teaching notes and curriculum mapping

This resource aims to provide year 6 teachers with a photocopiable, independent home learning task for maths for every week of the school year.

The resource is divided into two sections - a teacher's section (including teaching notes, curriculum mapping, detailed answers and a tick list to enable teachers to track which tasks they have set and when) and a pupil's section which contains units for number, ratio and proportion, algebra, measurement, geometry and statistics.

Each unit comprises a set of photocopiable tasks. Each task is mapped to one or more of the requirements of the National Curriculum for maths year 6 and is intended to consolidate the learning that has been done in class.

Tasks are introduced through a comprehensive example and are differentiated. For each tasks, there is a suggestion for those who may find the topic difficult, a suggestion for those who are confident and a challenge for those who are raring to go!

We hope you enjoy using this resource. If you have any questions, please get in touch: email support@teachitprimary.co.uk or call us on 01225 788851. Alternatively, you might like to give some feedback for other Teachit Primary members - you can do this by adding a comment on the Home learning for year 6 - Maths page on Teachit Primary (please log in to access this!).

Teacher's tick list

Keep track of what you have set and when.

Number: number and place value	Date set
Resource 1 - read, write, order and compare numbers up	
o 10,000,000 esource 2 - use negative numbers in context	
-	
Resource 3 - solve number and practical problems	
Number: all four operations	Date set
Resource 1 - multiply multi-digit numbers up to 4 digits	
Resource 2 - formal long division	
Resource 3 - formal short division	
Resource 4 - perform mental calculations	
Resource 5 - identify common factors, multiples and prime	
numbers Resource 6 - BODMAS	
Resource 7 - addition and subtraction multi-step problems Resource 8 - addition, subtraction, multiplication and	
division problems	
Resource 9 - use estimation to check answers	
Number: fractions (including decimals and percentages)	Date set
Resource 1 - use common factors to simplify fractions	
Resource 2 - add and subtract fractions	
Resource 3 - multiply proper fractions	
Resource 4 - divide fractions by whole numbers	
Resource 5 - multiply numbers up to two decimal places	
Resource 6 - written division methods up to two decimal	
places Resource 7 - use equivalences between fractions, decimals	
and percentages	
Ratio and proportion	Date set
Resource 1 - relative sizes	
Resource 2 - calculations of percentages	
Resource 3 - scale factors	
Resource 4 - unequal sharing	
nesource + - unequal sharing	

Algebra	Date set	
Resource 1 - use simple formulae		
Resource 2 - generate and describe linear number sequences		
Resource 3 - express missing number problems algebraically		
Resource 4 - working with two variables		
Measurement	Date set	
Resource 1 - solve problems involving units of measure		
Resource 2 - convert between miles and kilometres		
Resource 3 - area and perimeter		
Resource 4 - use formula for area and volume of shapes		
Resource 5 - calculate the area of parallelograms and triangles		
Geometry: properties of shape	Date set	
Resource 1 - draw, compare and classify 2D shapes		
Resource 2 - recognise, describe and build simple 3D shapes		
Resource 3 - illustrate and name parts of the circle		
Resource 4 - recognise angles		
Geometry: position and direction	Date set	
Resource 1 - draw, translate and reflect shapes in all four quadrants		
Statistics	Date set	
Resource 1 - interpret and construct pie charts and line graphs		
Resource 2 - using the mean		-

Number: number and place value answers

Resource 1 - read, write, order and compare numbers up to 10,000,000

	Working out			Answer
1.	1523		\longrightarrow	One thousand five hundred and twenty-three
2.	8071		\longrightarrow	Eight thousand and seventy-one
3.	17,080		\longrightarrow	Seventeen thousand and eighty
4.	8,230,050		→	Eight million, two hundred and thirty thousand, and fifty
5.	Six thousand, and two	seven hundred	→	6702
6.	Twelve thousa hundred and e		→	12,580
7.	Half of a million	on	\longrightarrow	500,000
8.	Ten million, fi and one hundr		→	10,050,100
9.	1943		→	Nine hundreds or 900
10.	90,500		\longrightarrow	Nine ten thousands or 90,000
11.	9,154,000		\longrightarrow	Nine millions or 9,000,000
12.	94 × 10 = 940		→	Nine hundreds or 900
13.	8473	8500 (nearest 1	00)	8000 (nearest 1000)
14.	19,637	20,000 (nearest	1000)	19,640 (nearest 10)
15.	203,848	203,850 (neares	st 10)	203,800 (nearest 100)

Challenge

	Workings out and answers
1.	98,653 (ninety-eight thousand, six hundred and fifty-three)
2.	365; 368; 369
3.	For example: 59,863, 58,693, 56,938
4.	5368; 5369; 5386; 5389; 5396; 5398
5.	Any five-digit number that starts with 96,000, 95,000 or 98,000.
6.	85, 86, 89 and 93
7.	953; 963; 983

Resource 2 - use negative numbers in context

	Workings out and answers						
1.	a. 8 ⁰ C		b. 2ºC		c4°C		
2	a. 16°C		b. 5°C		c6°C		
3	a. 5°C		b2°C		c3 ^o C		
4.	a3 + 4 = 1	b3 - 3	2 = -5	c3 + 20 = 17		d3 - 20 = - 23	
5	-7 + 15 = 8				8°C		
6	8 -15 = -7				-7ºC		

7		9 + 17 = 8		8°C
8		a2 + 14 = 12°C	b. 12 6 = 12 + 6 = 18 °C	c. 11 8 = 19°C
9	a	Sequence ascends in 3s . So, co 7 - 3 = 4 1 - 3 = -2	unting back in 3s	Sequence is: -2, 1, 4, 7, 10
	b	Sequence ascends in 4s . So, counting back in 4s 2 - 4 = -2 2 - 4 = -6		Sequence is: -6, -2, 4, 6, 10
	c.	Sequence ascends in 6s . So, co 2 - 6 = -4 4 - 6 = -10	unting back in 6s	Sequence is: -10, -4, 2, 6, 14

Challenge

	Children can count inwards until they meet in the middle of a number scale.			
1. a.	-2 + 6 difference is 8; 8 ÷ 2 = 4	2		
b.	-6 + 2 difference is 8; $8 \div 2 = 4$	-2		
c.	-3 + 9 difference is 12; 12 ÷ 2 = 6	3		
d.	-10 + -4 difference is 6; $6 \div 2 = 3$	-7		
e.	-24 + 36 difference is 60; 60 ÷ 2 = 30	6		

Resource 3 - solve number and practical problems

		Workings out and answer	rs
1.		a.7.632 ≈ 8 b. 17.3 ≈ 17	c. 405.99 ≈ 406
2.	a.	Largest even = 936; smallest odd = 39	936 and 39
	b.	963 rounds to 1000	963
3.	a.	47 ≈ 50	50
	b.	Any number between 45 and 54	45, 46,53, 54
	c.	961 ≈ 960	960
	d.	Any number between 85 and 94	85, 89, 90, 94
	e.	Any number between 195 and 204	195,196, 203, 204
4.	a.	Smallest odd number = 43	43
	b.	Largest 3-digit = 964	964
	c.	496 is closest to 500	496
	d.	Largest 2-digit = 96; 6 is the units value	6
	e.	$93 \times 10 = 930$; 9 is the hundreds value	9
5.	a.	$-5 + 12 = 7^{\circ}C$ is new temperature	7°C
	b.	71 = 7 + 1 = 8° C drop in temperature	8°C
6.		1,000,000 - 500 = 999,500	999,500
7.		-1 + 5 difference is 6; 6 ÷ 2 = 3	2
8.		a. £730 b. £-130	c. £859

1.	a.	-4 + 6 difference is 10; 10 ÷ 2 = 5	1
	b.	-7 + 5 difference is 12; $12 \div 2 = 6$	-1

2.	8 - 2 = 6; other number is 8 + 6 = 14	14
3.	 It rounds to 3000 to the nearest hundred. The thousands digit is half the units digit. The tens digit is the sum of the thousands and units digits. 	
	Rounding to 3000 means any number between 2950 to 3049. If the thousands digit is 3, then units digit is 6. If the tens digit is 2, then units digit is 4. The tens is either $3 + 6 = 9 \checkmark$ or $2 + 4 = 6 \checkmark$. So, the 4-digit number is 2964 or 3096 .	2964 or 3096

Number: all four operations answers

Resource 1 - multiply multi-digit numbers up to 4 digits

		Workings out	Answers	;
1.	a. 3 2 × 2 3 9 6 6 4 0 7 3 6	b. 1 4 × 2 1 1 4 2 8 0 2 9 4	c. 3 1 x 2 4 1 2 4 6 2 0 7 4 4	
2.	a. 1 3 2 x 3 1 1 3 2 3 9 6 0 4 0 9 2	b. 2 4 3	c. 5 2 3 x 3 2 1 0 4 6 1 5 5 9 0 1 6 7 3 6	
3.	2 4 1 5 0	3 7 5 7 4 7 4 6 3 0 X 6 7 1 7 2 2 1 4 7 6 6	d. 4 1 1 8 a. 25,599	7
4.	a. 2 7 4 3 x 5 4 1 0 9 7 2 1 3 7 1 5 0 1 4 8 1 2 2	b. 4 0 9 5 × 6 3 1 2 2 8 5 2 4 5 7 0 0 2 5 7 9 8 5	c. 1 9 8 6 x 8 5 9 9 3 0 1 5 8 8 8 0 1 6 8 8 1 0	5

	Workings out	Answers	Workings out Answers
1.	a. 6 2 × 4 7 4 3 4 2 4 8 0 2 9 1 4	a. 2, 4 and 8	b. 3 0 7 4

			7	3
	×		4	6
3.		4	3	8
	2	9	2	0
	3	3	5	8

Resource 2 - formal long division

		Workings out	Answers
1.	a 1 6	4 4 7 0 6 4 0 6 6 4 4 3 9 0 8 6 0 4 3 4 4 3 2 1	a. 704 ÷ 16 = 44 b. 903 ÷ 43 = 21
3.	a. 2 2)	1 7 3 3 8 0 6 2 2 0 1 6 0 1 5 4 1 4 4 1 4 4 1 0 8 1 0 8 1 0 8	a. 3806 ÷ 22 = 173 b. 5148 ÷ 36 = 143
3.	a	3 2 r12 4 0 7 0 5 8 1 2 2 4 3 2 4 5 5 8 1 2 8 0 6 4 1 6 4 1 6 4 1 1	a. 940 ÷ 29 = 32 r 12 b. 4560 ÷ 32 = 142 r 16
4.	a. 2 3	3 8 8 8 9 2 4 6 9 0 6 2 0 2 2 1 8 4 1 3 7 8 3 4 1 8 4 3 7 8 3 4 0 0	a. 8924 ÷ 23 = 388 b. 9558 ÷ 54 = 177

5.							
]	a.				2	3	r 67
	8	3	1	9	7	6	
		_	1	6	6	\downarrow	
				3	1	6	
				2	4	9	
					6	7	

b.				4	7	r 17
4	7	2	2	2	6	
		1	8	8	\downarrow	
			3	4	6	
			3	2	9	
				1	7	

a.	1976	÷	83	=	23	r	67
b.	2226	÷	47	=	47	r	17

	Wo	orkings out	Answers
1.	£5 ÷ 69p	a. Shola can buy 7 marker pensb. Change is the remainder = 17 pence	a. 7 pens b. 17p change
2.	183 ÷ 28 6r15 2 8	183 ÷ 28 = 6 r 15 This means 15 spare CDs, so 7 racks are needed.	7 racks
3.	a. 2 6 3 2	831 ÷ 31 = 26 r 25 833 ÷ 33 = 25 r 8 832 ÷ 32 = 26	Missing digit is 2
	b. 7 3 2 7 0 1 - 2 1 9 0 5 1 1 5 1 1	2501 ÷ 53 = 47 r 12 2601 ÷ 63 = 41 r 20 2701 ÷ 73 = 37	Missing digit is 7

Resource 3 - formal short division

	Workings out and answers	
	a.	b.
1.	2 3	2 6
1.	2 7) 6/ 62/ 81	3 4) /8 3/8 204
	C.	d.
	3 4	2 1
	4 1) 1 13 139 164	6 3) /1 /3 132 63
	a.	b.
2.	1 6 r19	2 3 r20
	2 4) 4 49 163	5 2) /1 /2 121 176
	a.	b.
3.	1 4 • 2 5	1 6 • 7 5
	3 2) 4 45 136 • 80 160 0	4 8) /8 /0 324 • 360 240 0
	2 8	
4.	1 5) 4/ 42/ 120	420 ÷ 15 = 28 piles
	1 3) 7 7 0	
	2 9	
5.	3 4) 9′ 98′ 306	£986 ÷ 34 = 29 trainers
6.	3 4	£1972 ÷ 58
0.	5 8) 1/ 19/ 197 232	Each ticket cost £34
	8 3	2.427
7.	2 9) 2/ 24/ 240 87	2407 kg ÷ 29 Each parcel weighs 83 kg
		Each parcet freight of its
0	1 0 8	3888 ÷ 36
8.	3 6) 3/ 38/ 28 288	Altogether 108 packs
9.	1 8 3/ 38/ 25 72	£3852 ÷18 = £214
	1 8) 3/ 38/ 25 72	

	Workings	out a	nd	ans	wer	`S				
			T					6	r26	
1.		7		9)	∕\$	<i>5</i> ∕0	⁵⁰ 0		Freddy buys 6 cards with 26p change
							1	1	r12	
2.		5		3)	ø	%	⁷ 0		12 buses are needed with 41 spare seats (53 - 12 = 41)
										35415 (65 12 11)

Resource 4 - perform mental calculations

		Workings out	Answers
1.	a.	10 - (4 × 2) = 10 - 8 = 2	2
	b.	10 - (4 + 2) = 10 - 6 = 4	4
	c.	$10 \div 5 + (4 \times 2) = 2 + 8 = 10$	10
	d.	$(10 + 2) \div 6 = 12 \div 6 = 2$	2
2.	a.	$(8 - 2) - 2 \times 3 = 0 \times 1 \times 2 \times 3 \times 4 \times 5$	0 = 0
	b.	$100 - 5 \times 10 = 2 \times 5 \times 5$	50 = 50
	c.	4 + 5 × 6 + 7 < 6 × 7	41 < 42
	d.	$(1+3)^2 > 1+2+3+4+5$	16 > 15
3.	a.	700,000 + 60,000 + 500 + 40 + 3 = 760,543	760,543
	b.	100,000 + 20,000 + 300 + 4 = 1,020,304	1,020,304
4.	a.	780 × 3400 = 2,652,000	2,652,000
	b.	2,652,000 ÷ 780 = 3400	3400
5.		⁵ 6 ⁹ 0 ¹ 4 3 5 - <u>1 4 5 0 3</u> <u>4 5 9 3 2</u>	45,932
6.		Total = 40,346 + 15,496 + 30,946 + 37,083 = 123,871	123,871

Challenge

1.	a.	4 ÷ 4 + 4; (4 × 4 + 4) ÷ 4	5	c.	$4 \times 4 + 4$; $(4 \div 4 + 4) \times 4$	20
	b.	4 ÷ 4 + 4 + 4;	9	d.	$(4 \times 4 + 4) \times 4;$	80

Resource 5 - identify common factors, multiples and prime numbers

		Workings out	Answer
1.	a.	10 = 1 × 10; 2 × 5	1, 2, 5, 10
	b.	18 = 1 × 18; 2 × 9; 3 × 6	1, 2, 3, 6, 9, 18
	c.	30 = 1 × 30; 2 × 15; 3 × 10; 5 × 6	1, 2, 3, 5, 6, 10, 15, 30
2.	a.	Multiples of 8: 8, 16, 24, 32, 40,	8, 16, 24, 32, 40
	b.	Multiples of 9: 9, 18, 27, 36, 45,	9, 18, 27, 36, 45
	c.	Multiples of 12 : 12, 24, 36, 48, 60	12, 24, 36, 48, 60
	d.	Common multiples of 9 and 12 are 36, 72, 108, and so on.	36, 72, 108,
3.	a.	Prime	3, 13 or 29
	b.	Multiple of 9	36
	C.	Factor of 52	13
	d.	48 = 3 × 16	48 = 3 × 16

4.		100 or less	More than 100	
	Multiple of 30	30, 60 or 90	120, 150, 300,	
	Multiple of 20	20, 40, 60, 80 or 100	120, 140, 200,	
5.	Factors of 24 = 1 × 24; 2 Factors of 12 = 1 × 12; 2	8 and 24		
6.	Multiples of 6: 6, 12, 18 Multiples of 9: 9, 18, 27 Multiples of 18: 18, 36,	54 , 72 and 90		
7.	In between 376 and 406 Multiples of 4: 376 - 376, Multiples of 7: 406 - 399 392 is the joint multiple	392		
8.	Factors of 18	9 6 8 7 F	actors of 24	

Challenge

a.	18 = 2 × 3 × 3	2 × 3 × 3
b.	50 = 2 × 5 × 5	2 × 5 × 5
c.	$90 = 2 \times 3 \times 3 \times 5$	2 × 3 × 3 × 5
d.	$126 = 2 \times 3 \times 3 \times 7$	2 × 3 × 3 × 7

Resource 6 - BODMAS

1.	7 - 5 + 4 = 11 - 5 = 6	2.	5 - 7 + 4 = 9 - 7 = 2
3.	7 × 3 - 2 = 21 - 2 = 19	4.	2 × 6 + 3 = 12 + 3 = 15
5.	8 ÷ 2 + 5 = 4 + 5 = 9	6.	12 ÷ 2 - 3 = 6 - 3 = 3
7.	7 + 3 × 4 = 7 + 12 = 19	8.	9 - 3 × 2 = 9 - 6 = 3
9.	18 - 5 × 3 = 18 - 15 = 3	10.	7 + 15 ÷ 5 = 7 + 3 = 10
11.	$(8 - 5) \times 4 = 3 \times 4 = 12$	12.	$(2+7) \div 3 = 9 \div 3 = 3$

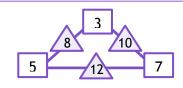
1. a.	8 × (4 - 2) = 16	2.	Allow reversals of the order of the sums and possible variations.
b.	12 ÷ (1 + 5) = 2		a 5 × 6 = 30
c.	$(3 + 4) \times 5 = 35$		b $5 \times (8 - 2) = 5 \times 6 = 30$
d.	$(4 + 2) \times (5-3) = 15$		8 × (5 - 2) + 6 = 8 × 3 + 6 = 24 + 6 = 30
e.	$(9 - 3 \times 2) \times 5 = 15$		d $(5+6) \times 2 + 8 = 11 \times 2 + 8 = 22 + 8 = 30$
			e 2 ⁵ + 6 - 8 = 32 + 6 - 8 = 30

Resource 7 - addition and subtraction multi-step problems

	Workings out	Answers			
1.	So far 63 + 94 = 157 miles Remainder = 348 - 157 = 191 miles	191 miles			
2.	17 + 9 - 15 + 8 = 19	+, -, +			
3.	So far 593 + 396 = 989 loaves Remainder = 1043 - 989 = 54 loaves	54 loaves			
4.	Total cost = £6.48 + $(5 \times £0.65)$ = £9.73 Change = £10 - £9.73 = £0.27 = 27p	27p			
5.	48 39 26 47 14 25	39 + 47 + 14 = 100			
6.	7 + 5 = 12 '2 down 1 to carry' $5 + 9 + {}_{1} = 15$ '5 down 1 to carry' $4 + 5 + {}_{1} = 10$ '0 down 1 to carry' $3 + 0 + {}_{1} = 4$	3 4 5 7 + 5 9 5 4 ₁ 0 ₁ 5 ₁ 2			
7.	w + p = 140; w + 2p = 195, so extra pen costs 55p. One writing pad = 140 - 55 = 85p	85p			
8. a.	6 9 - 4 2 = 27	69 - 42 = 27			
b.	8 4 - 3 5 = 49	84 - 35 = 49			

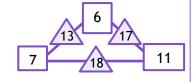
Challenge

Each corner number is added twice. 8 + 12 + 10 = 30. This means the corners must all add up to 15 (½ of 30). To '8' we can use 1 + 7, 2 + 6 or 3 + 5. By elimination, only the 3 and 5 completed the remaining answers. Note: 15 - 8 = 7



b. 13 + 17 + 18 = 48. ½ of 48 = 24.

If the three numbers add to give 24 and the first 2 add up to say 13, then 24 - 13 = 11 must be one of the numbers.



17 - **11** = 6, and, 13 - **6** = **7**

Resource 8 - addition, subtraction, multiplication and division problems

1.	Collect in and share equally. £28 + £37 = £65 £65 ÷ 2 = £32.50 each	£32.50
2.	$3 \times 49p = 147p = £1.47$ $2 \times £1.14 = £2.28 + £3.75$ Change = £5 - £3.75 = £1.25	£1.25 change
3.		24 boxes
4.	Buying separately costs £12.95 \times 3 = £38.85 Saving = £38.85 - £30 = £8.85 (or each would cost £10 deal, an individual saving of £2.95, \times 3 = £8.85)	£8.85 saving

5.	Halfway = 648 ÷ 2 = 324 Remaining pages = 324 - 197 = 127 pages	127 pages
6.	12000 14 6 7 2 3 5 2 4	
7.	Pupils for dinner = $238 - 13 - 17 = 208$. 3 times as many means $3 + 1 = 4$ groups. $208 \div 4 = 52$ So, 52 have a packed lunch and $3 \times 52 = 156$ have the hot meal.	156 pupils
8.	Work backwards and do the opposite. $ \begin{array}{cccccccccccccccccccccccccccccccccc$	Starts with 11

Challenge

1.	Trisha: end + 20 = start (T)	£110 Letting E be end E + 75 = 2(E + 20) E + 75 = 2E + 40
	So, the extra $(75 - 20) = 55$ must be what Trisha started with. So Michael started with $2 \times £55 = £110$.	35 = E M = 35 + 75 = 110

Resource 9 - use estimation to check answers

$34 \times 18 \approx 30 \times 20 = 600$									c. 600
342 ÷ 2	22 ≈ 300	÷ 20 = 15	rows						b. 15
54 × 10	5 ≈ 50 ×	20 = 1000) penc	e = £10					£10
197 ÷ 4	42 ≈ 200	÷ 40 = 5	kg						5 kg
	Questi	on	Rour	ding	Est	imate	<i>A</i>	Actual	
a.	15,463	+ 8946	15,0	00 + 9000	24	,000	2	24,409	
b.	7631 -	2814	8000	- 3000	5000		4	4817	
c.	78 × 43	37	80 ×	400	32	,000	3	34,086	
d.	5632 ÷	32	6000	÷ 30	20	0	1	176	
x 100	10	× 100		Number		÷ 10		÷ 100	
42000)	4200		42		4.2		0.42	
6750		675		6.75		0.675		0.0675	
23,00	00	2300		23		2.3		0.23	
60,00	00	6000		60		6		0.6	
45,00	00	4500		45		4.5		0.45	

7.	239	100,000	
8.	a.	387 is the closest to 500	387
	b.	873 × 10 = 8730 (7 hundred)	700
	c.	3678 ÷ 1000 = 3.678 (7 tenths)	7 tenths

Challenge

1.	e.g. 50 + 30 = 80 (rounded to nearest 10) 50 could be 45-54 ; 30 could be 25-34 . So maximum sum is 54 + 34 .	So maximum sum is 54 + 34.
----	--	----------------------------

Number: fractions (including decimals and percentages)

Resource 1 - use common factors to simplify fractions

Workings out and answers

1. a.
$$\frac{2}{5} = \frac{4}{10} = \frac{6}{15} = \frac{8}{20} = \frac{10}{25}$$
 b. $\frac{3}{8} = \frac{6}{16} = \frac{9}{24} = \frac{12}{32} = \frac{15}{40}$ c. $\frac{5}{6} = \frac{10}{12} = \frac{15}{18} = \frac{20}{24} = \frac{25}{30}$

2. a. $\frac{3}{4} = \frac{9}{12}$ b. $\frac{2}{3} = \frac{8}{12}$ c. $\frac{5}{6} = \frac{20}{24}$ d. $\frac{2}{7} = \frac{10}{35}$

3. a. $\frac{2}{3}$ or $\frac{3}{4}$, b. $\frac{5}{6}$ or $\frac{7}{9}$ $\frac{3}{4}$ is bigger; $\frac{5}{6}$ is bigger

2. a.
$$\frac{3}{4} = \frac{9}{12}$$
 b. $\frac{2}{3} = \frac{8}{12}$ c. $\frac{5}{6} = \frac{20}{24}$ d. $\frac{2}{7} = \frac{10}{35}$

3. a.
$$\frac{2}{3}$$
 or $\frac{3}{4}$, b. $\frac{5}{6}$ or $\frac{7}{9}$ $\frac{3}{4}$ is bigger; $\frac{5}{6}$ is bigger.

4. Twelfths:
$$\frac{7}{12}$$
; $\frac{3}{4} = \frac{9}{12}$; $\frac{5}{6} = \frac{10}{12}$; $\frac{1}{2} = \frac{6}{12}$; $\frac{2}{3} = \frac{8}{12}$ Smallest: $\frac{1}{2}$; $\frac{7}{12}$; $\frac{2}{3}$; $\frac{3}{4}$; $\frac{5}{6}$

5. a.
$$\frac{2}{3} = \frac{12}{18} = \frac{10}{15}$$
 b. $\frac{3}{8} = \frac{9}{24} = \frac{6}{16}$

6.
$$\begin{vmatrix} a & \frac{7}{2} & = & 3\frac{1}{2} \\ b & \frac{9}{10} & > & \frac{4}{5} \\ c & 1\frac{1}{3} & > & 1\frac{1}{6} \\ d & \frac{5}{12} & > & \frac{3}{8} \end{vmatrix}$$

7.	a.	$\frac{3}{8} = \frac{15}{40}$	3 and 15	b.	$\frac{5}{8} = \frac{20}{40}$	5 and 20
	c.	$\frac{6}{1} = \frac{18}{1}$	6 and 18			

1. a.
$$\frac{5}{12} = \frac{20}{48} = \frac{10}{24}$$
 b. $\frac{10}{8} = \frac{30}{24} = \frac{5}{4}$

Resource 2 - add and subtract fractions

	Workir	ngs out	Answers
1. a.	$\frac{1}{4} + \frac{3}{8}$ $\frac{2}{8} + \frac{3}{8} = \frac{5}{8}$	$\frac{1}{4} = \frac{2}{8} = \frac{3}{12} = \frac{4}{16} = \frac{5}{20}$ $\frac{3}{8} = \frac{6}{16} = \frac{9}{24} = \frac{12}{32} = \frac{15}{40}$	<u>5</u> 8
b.	$\frac{1}{3} + \frac{4}{9}$ $\frac{3}{9} + \frac{4}{9} = \frac{7}{9}$	$\frac{1}{3} = \frac{2}{6} = \frac{3}{9} = \frac{4}{9}$	$\frac{7}{9}$
2. a.	$\frac{5}{6} - \frac{1}{3}$ $\frac{5}{6} - \frac{1}{6} = \frac{3}{6}$	$\frac{5}{6}$ $\frac{1}{3} = \frac{2}{6} =$	$\frac{3}{6} = \frac{1}{2}$
b.	$\frac{\frac{7}{12} - \frac{1}{4}}{\frac{7}{12} - \frac{3}{12} = \frac{4}{12}}$	$\frac{7}{12}$ $\frac{1}{4} = \frac{2}{8} = \frac{3}{12} =$	$\frac{4}{12} = \frac{1}{3}$
3. a	$\frac{3}{4} + \frac{1}{6}$, $\frac{9}{12} + \frac{2}{12} = \frac{11}{12}$		11 12
b	$\frac{3}{8} + \frac{5}{12}$, $\frac{9}{24} + \frac{10}{24} = \frac{19}{24}$		19 24
С	$\frac{4}{9} + \frac{1}{6}$, $\frac{8}{18} + \frac{3}{18} = \frac{5}{18}$		5 18
d	$\frac{11}{12} + \frac{5}{8} , \frac{22}{24} + \frac{15}{24} = \frac{7}{24}$		$\frac{7}{24}$
4.	$\frac{5}{8} + \frac{1}{8} = \frac{6}{8}$ eaten and $\frac{2}{8} = \frac{1}{4}$ left over	er.	$\frac{6}{8} = \frac{3}{4}$, $\frac{2}{8} = \frac{1}{4}$
5. a	$\frac{1}{8} + \frac{5}{12}$, $\frac{3}{24} + \frac{10}{24} = \frac{13}{24}$		$\frac{13}{24}$
b	$\frac{5}{9} + \frac{1}{6}$, $\frac{10}{18} + \frac{3}{18} = \frac{13}{18}$		13 18
С	$\frac{7}{9} - \frac{5}{12}$, $\frac{28}{36} - \frac{15}{36} = \frac{13}{36}$		13 36
d	$\frac{11}{12} - \frac{7}{8} , \frac{22}{24} - \frac{21}{24} = \frac{1}{24}$		1 24
6.	$\frac{5}{12} + \frac{1}{4} = \frac{5}{12} + \frac{3}{12} = \frac{8}{12}$	Left over = $1 - \frac{8}{12} = \frac{4}{12}$	$\frac{4}{12} = \frac{1}{3}$
7.	$\frac{7}{12} + \frac{3}{8} = \frac{14}{24} + \frac{9}{24} = \frac{5}{24} = $ of a mile	further.	5 24

Challenge

1. a.
$$3\frac{4}{9} + 2\frac{5}{12}$$

 $= 5\frac{16}{36} + \frac{15}{36} = 5\frac{31}{36}$
Define the energy of the ene

Resource 3 - multiply proper fractions

		Workings out	Answers
1.	a.	$\frac{3}{4} \times \frac{1}{2} = \frac{3 \times 1}{4 \times 2} = \frac{3}{8}$	$\frac{3}{8}$
	b.	$\frac{5}{8} \times \frac{3}{4} = \frac{5 \times 3}{8 \times 2} = \frac{15}{32}$	$\frac{15}{32}$
	c.	$\frac{1}{5} \times \frac{4}{5} = \frac{1 \times 4}{5 \times 5} = \frac{4}{25}$	$\frac{4}{25}$
2.	a.	$\frac{5}{8} \times \frac{2}{3} = \frac{5 \times 2}{8 \times 3} = \frac{10}{24} = \frac{5}{12}$ (÷ by 2)	$\frac{5}{12}$
	b.	$\frac{5}{6} \times \frac{3}{4} = \frac{5 \times 3}{6 \times 4} = \frac{15}{24} = \frac{5}{8}$ (÷ by 3)	<u>5</u> 8
	c.	$\frac{1}{4} \times \frac{8}{9} = \frac{1 \times 8}{4 \times 9} = \frac{8}{36} = \frac{2}{9}$ (÷ by 4)	$\frac{2}{9}$
3.	a.	$\frac{2}{3}$ of £18 = $\frac{2}{3} \times \frac{18}{1} = \frac{2 \times 18}{3 \times 1} = \frac{36}{3} = £12$	£12
	b.	$\frac{3}{5}$ of £25 = $\frac{3}{5} \times \frac{25}{1} = \frac{3 \times 25}{5 \times 1} = \frac{75}{5} = £15$	£15
	c.	$\frac{3}{8}$ of £48 = $\frac{3}{8} \times \frac{48}{1} = \frac{3 \times 48}{8 \times 1} = \frac{144}{8} = £15$	£15

4.		$ \begin{array}{c c} $	
5.	a.	$\frac{5}{8} \times \frac{6}{7} = \frac{5 \times 6}{8 \times 7} = \frac{30}{56} = \frac{15}{28}$ (÷ by 2)	15 28
	b.	$\frac{5}{9} \times \frac{6}{7} = \frac{5 \times 6}{9 \times 7} = \frac{30}{63} = \frac{10}{21}$ (÷ by 3)	$\frac{10}{21}$
	с.	$\frac{5}{8} \times \frac{4}{15} = \frac{5 \times 4}{8 \times 15} = \frac{20}{120} = \frac{1}{6}$ (÷ by 20)	$\frac{1}{6}$
6.		$\frac{1}{2} \text{ of } \frac{2}{5} = \frac{1 \times 2}{2 \times 5} = \frac{2}{10} = \frac{1}{5}$	$\frac{1}{5}$
7.		$\frac{3}{4}$ of $\frac{7}{12} = \frac{3 \times 7}{4 \times 12} = \frac{21}{48} = \frac{7}{16}$	$\frac{7}{16}$
8.	a.	$\frac{5}{8}$ of £44 = $\frac{5}{8} \times \frac{44}{1} = \frac{5 \times 44}{8 \times 1} = \frac{220}{8}$ 220 ÷ 8 £27.50	£27.50
	b.	$\frac{3}{4}$ of £54 = $\frac{3}{4} \times \frac{54}{1} = \frac{3 \times 54}{4 \times 1} = \frac{162}{4}$ 162 ÷ 4 £40.50	£40.50
	c.	$\frac{7}{12}$ of £30 = $\frac{7}{12} \times \frac{30}{1} = \frac{7 \times 30}{12 \times 1} = \frac{210}{12}$ 210 ÷ 12 £17.50	£17.50

1. a.
$$\frac{5}{8} \times \frac{2}{3} = \frac{5 \times 2}{8 \times 3} = \frac{10}{24} = \frac{5}{12}$$
 b. $\frac{7}{9} \times \frac{3}{4} = \frac{7 \times 3}{9 \times 4} = \frac{21}{36} = \frac{7}{12}$

c. $\frac{3}{4} \times \frac{11}{18} = \frac{3 \times 11}{4 \times 18} = \frac{33}{72} = \frac{11}{24}$

2. a. $\frac{1}{2} \times \frac{2}{3} \times \frac{3}{4} \times \frac{4}{5} = \frac{1 \times 2 \times 3 \times 4}{2 \times 3 \times 4 \times 5} = \frac{24}{120} = \frac{1}{5} \text{ (÷ by 24)}$

b. $1\frac{1}{4} \times 1\frac{1}{5} = \frac{5}{4} \times \frac{6}{5} = \frac{30}{20} = \frac{3}{2} = 1\frac{1}{2}$

Resource 4 - divide fractions by whole numbers

		Workings out	Answers
1.	a.	$\frac{2}{3} \div 5 = \frac{2}{3} \times \frac{1}{5} = \frac{2}{15}$	$\frac{2}{15}$
	b.	$\frac{3}{5} \div 2 = \frac{3}{5} \times \frac{1}{2} = \frac{3}{10}$	3 10
	c.	$\frac{4}{5} \div 3 = \frac{4}{5} \times \frac{1}{3} = \frac{4}{15}$	4 15
2.	a.	$\frac{3}{4} \div 2 = \frac{3}{4} \times \frac{1}{2} = \frac{3}{8}$	$\frac{3}{8}$
	b.	$\frac{1}{2} \div 3 = \frac{1}{2} \times \frac{1}{3} = \frac{1}{6}$	$\frac{1}{6}$
	c.	$\frac{5}{6} \div 3 = \frac{5}{6} \times \frac{1}{3} = \frac{5}{18}$	5 18
3.	a.	$\frac{3}{4} = 3 \div 4 = 0.75$ $0 \bullet 7 5$ $4 3 \bullet {}^{3}0 {}^{2}0$	0.75
	b.	$\frac{4}{5} = 4 \div 5 = 0.8$ $0 \cdot 8$ $5 \cdot 4 \cdot 40$	0.8
	c.	$\frac{5}{8} = 5 \div 8 = 0.625$ $\begin{array}{c ccccccccccccccccccccccccccccccccccc$	0.625
4.		$ \begin{array}{c c} \frac{1}{4} & & & \\ \frac{1}{2} & & & \\ \hline \frac{2}{5} & & & \\ \hline \frac{3}{10} & & & \\ \end{array} $ 0.5 0.25 0.3 0.4	
5.		$\frac{2}{5} = 0.4; \frac{1}{3} = 0.333; \frac{3}{8} = 0.375 =$ Smallest: 0.28 0.3	$\frac{1}{3}$ $\frac{3}{8}$ $\frac{2}{5}$ Largest
6.	a.	$\frac{4}{5} \div 2 = \frac{4}{5} \times \frac{1}{2} = \frac{4}{10} = \frac{2}{5}$	2 5
	b.	$\frac{5}{6} \div 10 = \frac{5}{6} \times \frac{1}{10} = \frac{5}{60} = \frac{1}{12}$	$\frac{1}{12}$
	c.	$\frac{9}{10} \div 6 = \frac{9}{10} \times \frac{1}{6} = \frac{9}{60} = \frac{3}{20}$	3 20

Number: answers

7.	a.	$\frac{7}{8} = 7 \div 8 = 0.875$	0 8 7 5 8 7 60 40	0.875
	b.	$\frac{1}{6}$ = 1 ÷ 6 = 0.166	0 • 1 6 6 6) 1 • ¹0 ⁴0 ⁴0	0.1666
	c.	$1\frac{1}{4} = 1 + 1 \div 4 = 1.25$	0 • 2 5 4) 1 • ¹0 ²0	1.25
8.		$\frac{1}{6}$ of $5 = \frac{5}{6} = 0.833$	0 8 3 3 6 5 50 20 20	0.833rounds to 0.83 = 83p . Yes.

Challenge

$$\frac{3}{4} \div 6 = \frac{3}{4} \times \frac{1}{6} = \frac{3}{24} = \frac{1}{8} = 0.125$$
; 0.125m = 0.125 ×100 cm = 12.5 cm

Resource 5 - multiply numbers up to 2 decimal places

							Worl	kings	out					Answers
	a.													a. 184.8
			2	6		4				7	3		1	b. 292.4 c. 39.30
1.	×					7		×					4	d. 88.02
		1	8	4	•	8			2	9	2	•	4	
		4	8]
	c.							d.						
			7		8	6			1	4		6	7]
	×					5		×					6	
		3	9		3	0			8	8		0	2	
				4	3									
	a.							b.						a. 302.56
		3	7		8	2			1	8	4		5	b. 1660.5
2.	×					8		×					9	
	3	0	2		5	6		1	6	6	0		5	
]
	a.							b.						a. £19.95
			2		8	5				9		7	3	b. 38.92 miles
3.	×					7		×					4]
		1	9		9	5			3	8		9	2	
		5	3											

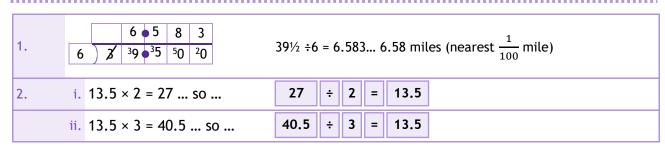
Number: answers

١.																
			3	2		6	9									
	×						5									£163.45
		1	6	3		4	5									
		1	3	4												
	a.	T	he ai	nswe	r has	s only	y one	nt, w deci s 0.3.	mal p			4 = 1	2			0.3
	b.	T	he ai	nswe	r has	s only	y one	nt, w deci s 1.2	e car mal p	n say olace	12 × :.	9 =	108			1.2
	a. b.										a. 3502.4 b. 3462.75					
		4	3	7	•	8		L		3	8	4		7	5	D. 3462.73
	Х					8		×							9	
	3	5 6	6	2	•	4			3	4	6	2	•	7	5	
								<u>L</u>								
			2	8	3		5	7								£1134.28
	×			0	3	•	J	4								
		1	1	3	4		2	8								
						1										
	Dog	foo	d tin	S				Ca	t foo	d tin	S					£19.45
			1		9	9			1		3	8				
	×					7		×				4				

1. a.	$8 \times 6 = 48$. The answer has 2 decimal places and the missing number is 6 [0.08 \times 6 = 0.48].	Missing number is 6
b.	Think of 4.3 as 4.30. So, the missing number has to have 2 decimal places. Note $4.3 \div 5 = 0.86$. Missing number is 0.86	Missing number is 0.86

Resource 6 - written division methods up to two decimal places

	Workings out and answers		
1.	a. 6 •2 5 4) 2′ ² 5 •10 ² 0	b. 1 2 •7 5 4) 5 11 •10 10 3	C. 1 3 • 3 3) 4 10 • 30 20
2.	a. 7 1 6 6 6 4 43 10 40 40	43 ÷ 6 = 7.17 (2dp)	7.17 (2dp)
	b. 6 6 2 5 8 5 53 50 20 40	53 ÷ 8 = 6.63 (2dp)	6.63 (2dp)
	7 8 7 1 4 7 6 61 50 10 30	61 ÷ 7 = 8.71 (2dp)	8.71 (2dp)
3.	a. 1 5 • 8 5 7 29 • 40	b. 9 8 7 5 8 7 79 70 60 40	a. 15.8 b. 9.88 (2dp)
4.	1 4 2 8 7) 1 10 30 20 60	÷ 7 = 14 (nearest mile)	14 miles
5.	a. 1 7 5 8) 1 14 60 40	b. 2 3 8 8 8 9) χ 21 35 80 80 80	c. 4 8 7 1 4 7) 34 61 50 10 30
	a. 17.5	b. 23.89 (2dp)	c. 48.71 (2dp)
6.	9 0 7 6) 5 54 4 4 42	42 ÷ 6 = £9.07 each	£9.07
7.	b. SI	0.000 ÷3 = 5.33 So, 5 miles (per hour) he would round up to 6 miles so that could be sure to cover the 16 miles.	a. 5 mph b. 6 miles
8.	1 3 3 3 4 10 20	1 • 2 8 5 7) 9 • ² 0 ⁶ 0 ⁴ 0	1 • 3 0 5 9 / 11 • 27 5 50
	Billy's = £1.33	Judy's = £1.29	Smith's = £1.31 Judy's is the cheapest.



Number: answers

Largest

25%

Resource 7 - use equivalences between fractions, decimals and percentages

Workings out and answers

1. a.
$$\frac{4}{8} = 50\%$$

b.
$$\frac{2}{8} = 25\%$$

c.
$$\frac{3}{15} = \frac{1}{5} = 20\%$$

f. $\frac{6}{8} = \frac{3}{4} = 75\%$

d.
$$\frac{8}{20} = \frac{2}{5} = 40\%$$

Smallest:

e.
$$\frac{4}{16} = \frac{1}{4} = 25\%$$

f.
$$\frac{6}{8} = \frac{3}{4} = 75\%$$

2.	Diagram	Fraction	Decimal	Percentage
		$\frac{1}{4}$	0.25	25%
		3 5	0.6	60%
		$\frac{3}{10}$	0.3	30%
		$\frac{45}{100} = \frac{90}{20}$	0.45	45%

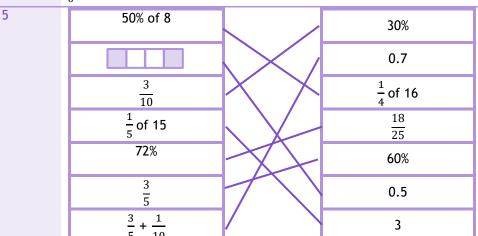
3.
$$0.21 = 21\%; \frac{1}{4} = 0.25 = 25\%; 30\%; 0.5 = 50\%; \frac{2}{5} = 40\%$$

0.21

		4
4.	a.	$\frac{2}{5}$ = 0.75 which is larger than 0.35 larger = $\frac{3}{4}$
	b.	0.25 = 25%%

c.	$\frac{7}{2}$ = 0.875 which is larger than 81%	7 -

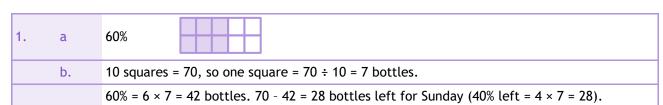
30%



6.
$$\frac{1}{3} = 0.33\dot{3} = 33.\dot{3}\%$$
; $0.37 = 37\%$; 30% ; $1/4 = 25\%$; 29.5%

30% 29.5% Smallest: 0.073 0.37

Challenge



Largest

Ratio and proportion answers

Resource 1 - relative sizes answers

	Wadda	A a
	Workings out	Answers
1.	a. £25 into 2:3 b. £30 into 1:4 c. £40 into 3:5 4:6 2:8 6:10 6:9 3:12 9:15 8:12 4:16 12:20 10:15 5:20 15:25 15:25 6:24	a. £10 : £15 b. £6 : £24 c. £15 : 25
2.	a. £56 into 2:5 b. £66 into 6:5 4:10 6:15 8:20 10:25 30:25 12:30 36:30 14:35 16:40	a. £16 : £40 b. £36 : £30
3.	Milk to dark 7:4 14:8 21:12 In three boxes she will get 21 milk chocolates.	21
4.	Sand to cement 3:1 He needs 4 bags of cement. 12:4	4 bags
5. a.	Cheese to butter 2:3 4:6 8:12 10:15 12:18 14:21 For 35 scones we need 21 cups of butter.	21 cups
b.	Continue count-up 14: 21 16: 24 18: 27 So 18 cups of cheese. (27 ÷3 = 9; 9 × 2 = 18)	18 cups
6. a.	Purple to orange 3:5 (use 7 times table to give 3 × 7 = 21 purple beads)	21 purple beads
b.	3:5 6:10 9:15 (continue to build or multiply by 5) 45:75, so 45 purple beads will need 75 orange beads	75 beads and 15 necklaces
7.	If 2 cost £11, then 1 cost £11 ÷ 2 = £5.50. So, 9 cost £5.50 x 9 = £49.50	£49.50
8.	If 6 cost £2, then 1 cost £27 \div 6 = £4.50. So, 4 cost £4.50 \times 4 = £18.00	£18

Ì		If 100 g has 4.5 grams of fibre, then 800 g has $4.5 \times 8 = 36$ grams of fibre	
١	1	(equivalent to 18 slices).	6 g fibre
ı	1.	So, 1 slice contains 36 g \div 18 = 2 grams fibre. Therefore 3 slices = 3×2	o g libic
ı		= 6 g fibre	

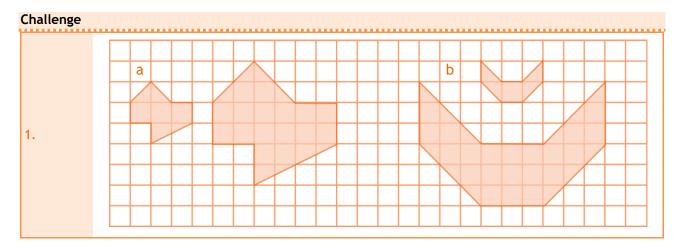
Resource 2 - calculations of percentages answers

		Workings out	Answers
1.	a.	$\frac{9}{20} = \frac{18}{40} = \frac{27}{60} = \frac{36}{80} = \frac{45}{100} = 45\% \text{ (x5)}$	45%
	b.	$\frac{9}{30} = \frac{3}{10} = \frac{30}{100} = 30\% \ (\div 3, \times 10)$	30%
	c.	$\frac{9}{60} = \frac{3}{20} = \frac{15}{100} = 15\% \ (\div 3, \times 5)$	15%
2.		Total = 13 + 7 = 20 Fraction black = $\frac{13}{20} = \frac{65}{100} = 65\%$ (×5)	65%
3		Fraction spent = $\frac{12}{40} = \frac{3}{10} = 30\%$ (÷3, ×10)	30%
4		a. 20% of £30 b. 15% of £8 c. 35% of £40	a. £6
		10% = £3 $10% = £0.80$ $10% = £4$	b. £1.20
		20% = £3 + £3 $5% = £0.40$ $5% = £2$	c. £14
		= £6 $15\% = £0.80 + £0.40$ $35\% = £4 + £4 + £4 + £2 =$	
		= £1.20 = £14	
5		$10\% = or \ 10 \times 10\% = 100\%$ $20\% = 14 \ 10 \times 7 = 70$ 100% = 70	70
6		20% = 9, multiplying by 5 gives 100% = 45	45
7	a	10% of £60 = £6 20% of £60 = £12. Jacket is reduced by £12	£12
	b	Sale price = £60 - £12 = £48	£48
8	a	1 + 4 = 5 in total. Fraction cordial = $\frac{1}{5}$	1 5
	b	Either: fraction water = $\frac{4}{5}$ or fraction cordial $\frac{1}{5}$ = 20% $\frac{4}{5} = \frac{8}{10} = \frac{80}{100}$ = 80% or % water = 100% - 20% = 80%	80%
9		15% = 30 30% = 60 10% = 20, ×10 = 100% = 200	200
10	a	60% of 24 = 20% of 72 , 60% = 3 × 20%, so 3 × 24 = 72	72
	b	12% of 36 = 72 % of 6, 36 = 6 × 6, so 12 × 6 = 72 %	72%
11		A. 10% of £3 = 0.3 60% of 3 = 0.3 × 6 $= 1.8$ B. 25% = $\frac{1}{4}$ of 7 $= 7 \div 4$ $= 1.75$	A is bigger

1	. a	65% of 400 10% of 400 = 40 <u>5% of 400 = 20</u> 65% = 40 × 6 + 20 = 260 male members	260 male members
	b	400 - 260 = 140 female members 25% of 140 = $\frac{1}{4}$ of 140 = 140 ÷ 4 = 35 female children members	35 female children

Resource 3 - scale factors

	Workings out	Answers
1.	1 pen = 2 pencils. As 1 pen + 1 pencil = 60p Then 3 pencils = 60p, so 1 pencil = 60p ÷ 3 = 20p So, 1 pen costs 2 × 20p = 40 pence	40 pence
2.	If 2 pens cost 80p then 1 pen costs 80p ÷ 2 = 40p, So, 3 pens = 3 × 40p = 120p = £1.20	3 pens = £1.20
3.	If 1 cm = 2 m Then 3 cm = 3×2 m = 6 metres	6 m
4.	If 3 cm = 12 m Then 1 cm = 12 m ÷ 3 = 4 m. Scale is 1 cm : 4 m	1 cm : 4 m
5. a.	Scale factor = $8 \div 2 = 4$	SF = 4
b.	Scale factor = 9 ÷ 2 = 4.5	SF = 4.5
C.	Scale factor = 15 ÷ 6 = 2.5	SF = 2.5
6.	a. C.	
7.	As $AB = 3 \times BC$ and $AB + BC = 80$ then $4 \times BC = 80$ km. So, $1 \times BC = 80$ km ÷ $4 = 20$ km. Then $AB = 3 \times 20$ km = 60 km .	AB = 60 km
8.	As 1 apple = $3 \times$ blackberry and 1 apple + 1 blackberry = 220, then 4 blackberry = 220 g. So, 1 blackberry = 220 g ÷ 4 = 55 g. Then 1 apple = 3×55 g = 165 g.	Apple = 165 g
9.	If 1 cm = 20 m Then 7 × 20 = 140 metres	140 m
10. a.	Scale factor = $8 \div 2 = 4$ $X = 4 \times 5 \text{ m} = 20 \text{ m}$	20 m
b.	Scale factor = 12 ÷ 3 = 4 X = 10 ÷ 4 = 2.5 m	2.5 m



Resource 4 - unequal sharing

		Workings out	Answers
1.		34 - 8 = 26 marbles left. Joseph has 26 ÷ 2 = 13 marbles. Erica has 13 + 8 = 21	Erica has 21 marbles
2.		16 - 6 = 10 m left. Smaller piece is 10 m ÷ 2 = 5 metres (longer = 11 m).	5 metres
3.		As Beth = $2 \times \text{Clive}$ and Beth + Clive = 33, then $3 \times \text{Clive}$ = 33 So, $1 \times \text{Clive}$ = $33 \div 3 = 11$. So, Beth = $2 \times 11 = 22$ oranges.	Clive 11; Beth 22
4.		Fraction red = $1 - \frac{3}{4} = \frac{1}{4}$ which equals 5 red balls. Total = $4 \times 5 = 20$ altogether.	20 altogether
5.	a.	60 is half of 120. So, Julie can make 10 ÷ 2 = 5 pancakes.	5 pancakes
	b.	150 ml milk : 120 g flour dividing by 3	80 g flour
		50 ml milk : 40 g flour multiplying by 2	
		100 ml milk : 80 g flour	
6.		Take off Alex's extra 6 cards to leave 32 - 6 = 26. 26 ÷ 2 = 13. So, Alex has 13 + 6 = 19 cards .	Alex has 19 cards
7.		Leave out the '5' until the end. If he eats $\frac{1}{3}$ then $\frac{2}{3}$ must be left over = 16. If $\frac{2}{3}$ (2 parts) = 16, then $\frac{1}{3}$ (1 part) = 16 ÷ 2 = 8. So, all (3 parts) = 8 × 3 = 24, plus the '5' = 29 sweets.	29 sweets
8.		1 - $\frac{5}{8} = \frac{3}{8}$ are poor. As $\frac{3}{8}$ (3 parts) = 42, then $\frac{1}{8}$ (1part) = 42 ÷ 3 = 14. So, all (8 parts) = 8 × 14 = 112 pencils .	112 pencils
9.		If $\frac{2}{3}$ are medium, then $1 - \frac{2}{3} = \frac{1}{3}$ are either small or large. Since they are the same number 8, then $\frac{1}{3}$ = 8 + 8 = 16. So, the total eggs laid = 3 × 16 = 48 eggs altogether .	48 eggs

```
If \frac{2}{9} are blue, then \frac{7}{9} are either red or white. Ratio = blue : red or white is 2 :

7.

Since the ratio of blue to red is 2 : 3 then the portion of white is 9 - 2 - 3 = 5.

So blue = 2 × 20 = 40; red = 3 × 20 = 60; white = 4 × 20 = 80

If \frac{2}{9} are blue, then \frac{7}{9} are either red or white. Ratio = blue : red or white is 2 :

So blue = 2 × 20 = 40; red = 3 × 20 = 60; white = 4 × 20 = 80
```

Algebra

Resource 1 - use simple formulae

		Workings out	Answers
1.	a.	$3p = 3 \times 7 = 21$	21
	b.	11 - p = 11 - 7 = 4	4
	c.	2p + 5 = 2 × 7 + 5 = 14 + 5 = 19	19
	d.	20 - 2p = 20 - 2 × 7 = 20 - 14 = 6	6
2.	a.	$p = 2l + 2h = 2 \times 5 + 2 \times 4 = 10 + 8 = 18$	18
	b.	$p = 2l + 2h = 2 \times 9 + 2 \times 3 = 18 + 6 = 24$	24
	c.	$p = 2l + 2h = 2 \times 1.5 + 2 \times 2.5 = 3 + 5 = 8$	8
3.		Cost = 8 × 11 + 15 = 88 + 15 = 103 pence	103p
4.		Let C be cost and b for bags. $C = 25 \times b$ (25b) For 6 bags, cost = $25 \times 6 = 150$ pence = £1.50	C = 25 × b =25b = 1.50
5.	a.	$T = 30 \times H + 40 \text{ or } T = 40 + 30 \times H$	T = 30 × H + 40
	b.	For 4 hours, $T = 30 \times 4 + 40 = 120 + 40 = £160$	£160
6.	a.	$3a + 2b = 3 \times 3 + 2 \times 4 = 9 + 8 = 17$	17
	b.	$3a - 2b = 3 \times 3 - 2 \times 4 = 9 - 8 = 1$	1
	c.	$5a - 3b = 5 \times 3 - 3 \times 4 = 15 - 12 = 3$	3
	d.	$ab = 3 \times 4 = 12$	12
7.		$T = 80 + 50 \times 7 = 80 + 350 = 430 p = £4.30$	£4.30
8.	a.	Let T be cooking time and k for kg. T = $45 \times k + 30$	T = 45k + 30
	b.	For 4 kg, $T = 45 \times 4 + 30 = 180 + 30 = 210$ minutes	3 hours and 30 minutes
	с.	$45 \times k + 30 = 120 (-30)$ $45 \times k = 90 (\div 45)$ k = 2	2 kg chicken

Challenge

1. a.	Peppa's cost $3 \times £2 = £6$; Salty's cost = $5 + 0.5 \times 3 = 5 + 1.5 = £6.50$. Peppa's is cheaper (by 50p).	Peppa's is cheaper (by 50p)
b.	5 + 0.5 × N = 9 First subtract 5 from both sides. 0.5 × N = 4 Next divide by 0.5. N = 8 pizzas. So, Peppa's cost 8 × £2 = £16.	Peppa's cost 8 × £2 = £16

Resource 2 - generate and describe linear number sequences

		Workings out	Answers
1.	a.	1,4,7,10,13,16 (+ 3)	7, 13, 16
	b.	4,10, 16,22, 28, 34 (+ 6)	16, 22, 34

C.	2,8,14,20,2		8, 26, 32						
d.	30, 26, 22, 18		26, 18, 14						
2.	2 × 4 - 3 = 8	3 - 3 = 5 ; 3 × 4 -	3 = 12 - 1	3 = 9;				5, 9, 13, 17	
3.	a. In 2 5 4 7	Function × 5 - 2	Out 8 23 18 33	1	n 4 3 0 0	Function Out 5 7 8 18		a. 8, 23; 4, 7 b. 5, 7; 10, 30	
4.	7,10,13,16 (This means t For the first 3 + 4. 20 th term = 2	rule is ×	Rule is × 3 + 4. 64						
5.	Rule × 7 In 4 Out 23	-	2 9) 58	8 51			2, 8; 23, 37, 58	
6. a.	7, 13 , 19, 25;	25 - 7 = 18 ÷ 3	= 6 ('+6')					13, 19	
b.	10,22,34,46	; 46 - 10 = 36 ÷	3 = 12 ('-	+12')				22, 34	
c.	3, 9,15,21 ,2	7; 27 - 3 = 24 ÷	4 = 6 ('+6	5')				9, 15, 21	
7. a.									
b.	Number of Number of Rule	houses matchsticks	1 2 3 4 6 11 16 21 × 5 + 1 (5n + 1)			× 5 + 1 (5n + 1)			

1. a.	Sequence is 7, 13,19,25 (the rule is M = 6N + 1).	Sequence is 7, 13,19,25 (the rule is M = 6N + 1)
b.	6N + 1 = 50 (-1) 6N = 49 (÷6) N = 49 ÷ 6 = 8 r 1, so eight complete shapes with one spare matchstick.	One spare matchstick.

Resource 3 - express missing numbers algebraically

		Workings out	Answers
1.	a.	23 + 11 = 34	34
	b.	25 - 13 = 12	12
	C.	14 - 5 = 9; 9 ÷ 3 = 3	3
2.	a.	p + 17 = 30 (- 17) p = 13	p = 13
	b.	5q - 7 = 13 (+7) $5q = 20 (\div 5) q = 4$	q = 4
	C.	2r + 3 = 35 (-3) $2r = 32 (\div 2)$ r = 16	r = 16
3.			2m + 3
4.		f = g - 7 f + 7 = g or g - f = 7	7

E	- 20 · 4 · 7 · b · 2/ · 4 · 0 ·	a = 7, b = 0,
5.	$a = 28 \div 4 = 7$; $b = 36 \div 4 = 9$;	a = 7; b = 9;
	$c = 27 \div b = 27 \div 9 = 3; d = a \times c = 7 \times 3 = 21$	c = 3; d = 21
6.	Robert: $7x - 5 = 23 (+5)$	
	$7x = 28 (\div 7)$	Number = 4
	x = 4	
7.	$5c = 200p (\div 5)$	
	c = 40 pence each	
	Now $3c + b = 150p$	
	$3 \times 40 + b = 150$	60 pence
	120 + b = 150, $b = 150 - 120 = 30$ pence each	
0	So 2 broccoli = 2 × 30p = 60 pence	
8.	a. 3t - 20	25
	3 × 15 - 20 = 45 - 20 = 25	
	b. $20 - d = 8, 20 - 8 = 12 \dots$	
	So, $3d = 12 (\div 3)$	d = 4
	d = 4	
9.	a. $2x + 5 = 23 (-5)$	
	$2x = 18 (\div 2)$	x = 9
	x = 9	
	b. $7x - 12 = 30 (+12)$	
	$7x = 42 (\div 7)$	x = 6
	x = 6	, C
10.	Let x be the unknown.	
10.	$X \rightarrow \times 2 \rightarrow + 7 \rightarrow \times 5 = 75$	
		x = 4
	$75 \rightarrow \div 5 \rightarrow -7 \rightarrow \div 2 = X = 4$	
11.	Let x be the number	
	Joe: $x + 15$; Ted: $4 \times x$ so $4x = x + 15$ '-x'	Normala and a F
	So $3x = 15$ '÷3'	Number is 5
	x = 5	

1.	z = 3y + 5 $x = 30 - z$ as $y = 6$ then $z = 3 \times 6 + 5 = 18 + 5 = 23$.	Now x = 30 - 23 = 7	
----	---	----------------------------	--

Resource 4 - working with two variables

	Workings out	Answers
1.	1 + 11 = 12; 2 + 10 = 12; 3 + 9 = 12; 4 + 8 = 12; 5 + 7 = 12; 6 + 6 = 12 then repeats	
2. a.	x + y = 10 1 + 9 = 10; 2 + 8 = 10; 3 + 7 = 10;	
	4 + 6 = 10; 5 + 5 = 10.	
b.	$x - y = 5 \dots 9 - 4 = 5; 8 - 3 = 5;$	
	7 - 2 = 5; 6 - 1 = 5; 5 - 0 = 5	
3. a.	x + y = 12	
i.	when x = 5, y = 12 - 5 = 7	i. y = 7
ii.	when $y = 9$, $x = 12 - 9 = 3$	ii. <i>x</i> = 3
b.	4x + y = 20	
i.	when $x = 3$, $4x = 12$, $y = 20 - 12 = 8$	i. y = 8
ii.	when $y = 12$, $4x = 20 - 12 = 8$, $x = 8 \div 4$. $x = 2$	ii. x = 2

4.	Build up th	e 4 times ta	ıble:					
	q	1	2	3	4	5	6	7
	р	4	8	12	16	20	24	28
5.	3 g - 2 h = 7							
a.	When h = 4	, 2 h = 8, 3 g	= 7 + 8 = 1!	5			a. g = 5	
	g = 15 ÷ 3 =	= 5						
b.	When g = 7	', 3 g = 21, 2	h = 21 - 7 =	14			b. h = 7	,
	h = 14 ÷ 2 :	= 7						
6. a.	When x = 3 When x = 6	4x + 3y = 30 trying $x = 1, 2, 3When x = 3, 4x = 12, 3y = 30 - 12 = 18; y = 18 \div 3 = 6When x = 6, 4x = 24, 3y = 30 - 24 = 6; y = 6 \div 3 = 2$						
b.	When x = 6		y = 24 - 12	= 12; y = 12 = 12; y = 24			x = 6, y $x = 9, y$	
7.	When $s = 2$ When $s = 3$ When $s = 4$	starting wi , $t = 3 \times 2$ - , $t = 3 \times 3$ - , $t = 3 \times 4$ - , $t = 3 \times 5$ -	5 = 6 - 5 = 6 5 = 9 - 5 = 6 5 = 12 - 5 =	1 (2, 1) 4 (3, 4)))			= 4 = 7
8.	When e = 2 When e = 4 When e = 6 When e = 8	3e = 12, 2 3, 3e = 18, 2 3, 3e = 24, 2	= 6 - 4 = 2; f = 12 - 4 = f = 18 - 4 = f = 24 - 4 =	8, 4, f = 1 (2, 1 8; f = 4 (4 14; f = 7 (20; f = 10 = 26; f = 13	(4, 4) (6, 7) (8, 10)		e = 2, f e = 4, f e = 6, f e = 8, f	= 1 = 4 = 7

1. a.	r + s = 16 pairs are (1, 15); (2, 14); (3, 13); (4, 12); (5, 11); (6,10); (7, 9), (8, 8) and vice versa (9, 7); (10, 6); (11, 5) $r - s = 6$ pairs are (7, 1); (8, 2); (9, 3); (10, 4); (11, 5); (12, 6); $r = 11$ and $s = 5$	r = 11 and <i>s</i> = 5
b.	v + w = 7 pairs are $(1, 6)$; $(2, 5)$; $(3, 4)$; $(4, 3)$; $(5, 2)$; $(6, 1)$; $3v + 2w = 16$ letting v have even numbers: 2, 4, 6, When $v = 2$, $3v = 6$, $2w = 16 - 6 = 10$; $f = 5$ $(2, 5)$ When $v = 4$, $3v = 12$, $2w = 16 - 12 = 4$; $f = 2$ $(4, 2)$ $v = 2$ and $w = 5$	v = 2 and w = 5

Measurement

Resource 1 - solve problems involving units of measure

		Workings out	Answers
1.	a.	4.5 km = 4.5 × 1000 m = 4500 m	4500 m
	b.	3.6 cl = 3.6 × 10 ml = 36 ml	36 ml
	c.	3.45 kg = 3.45 × 1000 g = 3450 g	3450 g
	d.	0.85 cm = 0.85 × 10 mm = 8.5 mm	8.5 mm
	e.	1.375 l = 1.375 × 1000 ml = 1375 ml	1375 ml
	f.	3250 g = 3250 ÷ 1000 kg = 3.25 kg	3.25 kg
	g.	65cm = 65 ÷ 100 m = 0.65 m	0.65 m
	h.	875m = 875 ÷ 1000 km = 0.875 km	0.875 km
2.		Return journey each day for 5 days means 10 × 273 m= 2730 m 2730 m = 2730 ÷ 1000 = 2.73 km	2.73 km
3.		20 × 295 ml = 5900 ml 5900 ml = 5900 ÷ 1000 l = 5.9 litres	5.9 litres
4.		145 × 9 = 1305 g 1305 g = 1305 ÷ 1000 kg = 1.305 kg	1.305 kg
5.		3 km = 3 × 1000 m = 3000 m 3000 m ÷ 200 m = 15 so 15 days	15 days
6.		53 ÷ 7 = 7 r 4, so 7 weeks 4 days	7 weeks 4 days
7.		Children can count on using a number line.	3.25pm
8.		10 boxes of 12 = 10×12 pencils = 120 pencils Weight = 120×11 g = 1320 g + 10 boxes each 15 g = 10×15 g = 150 g Total = 1320 g + 150 g = 1470 g = 1470 ÷ 1000 kg = 1.47 kg	1.47 kg
9.		5 glasses = 5 × 160 ml= 800 ml 1 litre = 1000 ml 1000 ml - 800 ml = 200 ml left over	200 ml
10.	a.	Paula: 4.62 km; Kate: 4.75 km; Alex: 4560 ÷ 1000 = 4.56 km	Kate
	b.	4.62 km + 4.75 km + 4.56 km = 13.93 km	13.93 km
11.	a.	24 × 7 g = 168 g. So, 30 packs = 168 g × 30 = 5040 g 5040 g ÷ 1000 kg = 5.04 kg	5.04 kg
	b.	1/2 kg = $1/2$ × 1000 g = 500 g. How many 168 g (packs) make 500 g Build up table: 168 336 504 (672) He needs 3 packs	3 packs

1.	Offer A: $9 \times 79p = 711p$ Offer B: $9 \mid = 9000 \text{ ml}$. Number of bottles = $9000 \div 300 = 30 \text{ bottles}$. Either buy 4 packs (32 bottles) costing $4 \times £2 = £8 \text{ or}$ 3 packs @ $3 \times £2 + 6 \text{ bottles}$ ($6 \times 300 \text{ ml} = 1800 \text{ ml}$) [$2 \times 1 \text{ litre bottles}$] $£6 + 2 \times 79p = £7.58$. Offer A is the better option	Offer A is the better option
2.	½m = 50 cm. Now 7 books = 7 × 6.4 cm = 44.8 cm So, gap = 50 cm - 44.8 cm = 5.2 cm	Gap = 50 cm - 44.8 = 5.2 cm 52 millimetres

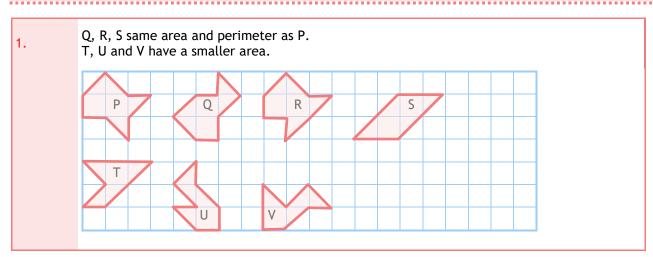
Resource 2 - convert between miles and kilometres

		Workings out		Answers	
1.	a.	10 miles = 10 ÷ 5 × 8 km = 2 × 8 = 16 km		16 km	
	b.	25 miles = 25 ÷ 5 × 8 km = 5 × 8 = 40 km		40 km	
	c.	3 miles = $3 \div 5 \times 8 \text{ km} = 0.6 \times 8 = 4.8 \text{ km}$		4.8 km	
2.	a.	24 km = 24 km ÷ 8 × 5 miles = 3 × 5 = 15 mile	s	15 miles	
	b.	56 km = 56 km ÷ 8 × 5 miles = 7 × 5 = 35 mile	s	35 miles	
	c.	10 km = 10 km ÷ 8 × 5 miles = 1.25 × 5 = 6.25	miles	6.25 miles	
3.		Distance in miles	Distance i	n km	
		15 miles	24 km]	
		20 miles	32 km	n	
		125 miles	200 kn	m	
		18 miles	28.8 kı		
		100 miles	160 kr	m	
		2.25 miles	3.6 km	า	
4.		a. 1 mile = 1.6 km	b. 9 miles = 14.4 km		
		c. 27 miles= 43.2 km	d. 8 km = 5 miles		
		e. 20 km = 12.5 miles	f. 52 km = 32.5 miles		
5.		70 mph = $70 \div 5 \times 8 = 112 \text{ km/h} < 130 \text{ km/h}$		130 km/h is	
		[130 km/h ÷ 8 × 5 = 81.25 mph]		faster, so Spain	
6.		4.5 miles = 4.5 ÷ 5 × 8 km = 7.2 km > 7 km [7 km = 7 ÷ 8 × 5 miles = 4.375 miles < 4.5 mi	les:	David ran further	
7.		Day 1: 50 km = 50 ÷ 8 × 5 miles = 31.25 miles Day 2: 31.25 - 10 = 21.25 miles Day 3: 100 - (31.25 + 21.25) = 100 - 52.5 = 47		Day 3: 47.5 miles	

1.	In 1 second, Jasmine can run 3 metres. In 1 hour, Jasmine can run 3 × 3600 me 10,800 m 10,800 m = 10,800 ÷ 1000 km = 10.8 km 10.8 kmph = 10.8 ÷ 8 × 5 mph = 1.35 × mph < 7 mph So,7 mph is faster	etres = n per hour	8	1/		• 3	5 ⁴ 0	0	7 mph is faster
2.	England If 1 litre cost £1.20 then 1 gallon cost £1.20 × 4.5 = £5.40 per gallon 360 miles = $360 \div 40 = 9$ gallons. Total cost = £5.40 × 9 = £48.60	16 km = 16 + If 1 litre of p 1 gallon give 360 miles = Total cost =	÷ 8 × 5 mi petrol gives 10 × 4.! 360 ÷ 45 :	es 10 5 = 4! = 8 ga	2 ×) mi 5 m allo	les, iles			Germany is cheaper

Resource 3 - area and perimeter answers

		w	orkings out		Answers
1.		a. A = 6 × 2 = 12 cm ²	b. $A = 5 \times 3 = 15 \text{ cm}^2$	c. A = 4 ×	3 = 12 cm ²
	'	P = 6 + 2 + 6 + 2 = 16 cm	P = 5 + 3 + 5 + 3 = 16 cm	P = 4 + 3 +	4 + 3 = 14 cm
2	a	Perimeter of P and Q are the same	e (10 cm).		P and Q
	b	Perimeter = 6cm; area = 2cm ²			2 cm²
	С	Perimeter = 3 + 2 + 3 + 2 = 10 cm Perimeter = 6 + 1 + 6 + 1 = 14 cm			
3	a	P = 2l + 2w P = 14 cm + 10 cm P = 24 cm	b P = 2l + 2w 40 m = 16 m +2w 40 m - 16 m = 24 m 24 m ÷ 2 = 12 m		
4.		Possible answers:			
5.		Shape 1: Area = 4; Perimeter = 8 Shape 2: Area = 5; Perimeter = 10 There are others.	1 2		
6	a	Perimeter = 3 + 6 + 3 + 6 +(3) + 3 +	· 6 = 30 cm		30 cm
	b	Perimeter = 3 + (3) + 6 + (3) + 3 + 6 +	· 3 + 6 + 3 + 6 = 42 cm		42 cm



Resource 4 - use formula for area and volume of shapes answers

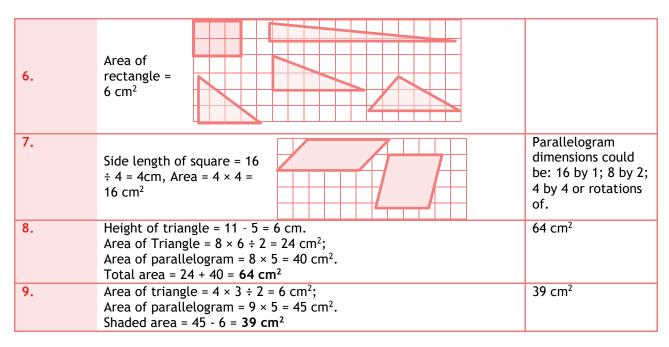
		Workings out	Answers
1.	a.	Volume = 8 × 5 × 6 = 240 cm ³	240 cm ³
	b.	Volume = $10 \times 2.5 \times 3 = 75 \text{ cm}^3$	75 cm ³
	c.	Volume = $5 \times 3 \times 2 = 30 \text{ m}^3$	30 m ³
2.		Volume = $4 \times 2 \times h = 24 \text{ cm}^3$ $8h = 24 \ (\div 8)$ h = 3	Height = 3 cm
3.		$30 \times 1 \times 1 = 30 \text{ cm}^3$; $15 \times 2 \times 1 = 30 \text{ cm}^3$; $10 \times 3 \times 1 = 30 \text{ cm}^3$; $6 \times 5 \times 1 = 30 \text{ cm}^3$; $5 \times 3 \times 2 = 30 \text{ cm}^3$ and many rotations of these $3 \times 1 = 30 \text{ cm}^3$	$\times 2 \times 5 = 30 \text{ cm}^3 \text{ etc.}$
4.		$60 \div 5 = 12$, so 12 times multiplication facts: 1 x 12, 2 x 6, 3 x 4 in either order.	1 x 12 2 x 6 3 x 4
5.		Area of face = $l \times w = 16$ but $4 \times 4 = 16$ cm ² Volume = $l \times l \times l = 4 \times 4 \times 4 = 64$ cm ³	64 cm³
6.		Dimensions of top cuboid: length = 3 cm; width = 3 cm; height = 7 - $4 = 3$ cm $3 \times 3 \times 3 = 27$ cm ³ Volume of bottom cuboid = $8 \times 3 \times 4 = 96$ cm ³ Total volume = $27 + 96 = 123$ cm ³	123 cm³

Challenge

		Box A is the
	Box A volume = 20 cm x 30 cm x 10 cm -= 6000 cm ³	largest and
	Box B volume = 20 cm x 10 cm x 25 cm = 5000 cm ³	will collect
		most water.

Resource 5 - calculate the area of parallelograms and triangles answers

	Workings out	Answers
1. a.	Area = $6 \times 5 \div 2 = 15 \text{ cm}^2$	15 cm ²
b.	Area = 8 × 7 ÷ 2 = 28 cm ²	28 cm ²
C.	Area = $9 \times 6 \div 2 = 27 \text{ m}^2$	27 cm ²
2.	Triangle A: $8 \times 6 \div 2 = 24 \text{ cm}^2$; Triangle B: $12 \times 5 \div 2 = 30 \text{ cm}^2$; Triangle B is larger.	B is bigger
3. a.	Area = 12 × 8 = 96 mm ²	96 mm ²
b.	Area = $25 \times 9 = 225 \text{ cm}^2$	225 cm ²
C.	Area = 200 × 80 = 16,000 m ²	16,000 m ²
4.	Parallelogram A: $8 \times 7 = 56 \text{ cm}^2$; Parallelogram B: $9 \times 6 = 54 \text{ cm}^2$; Parallelogram B is smaller.	B is smaller
5.		Triangles are 4 by 2 or 8 by 1 or reversed. Parallelogram 2 by 2 or 4 by 1 or 1 by 4.

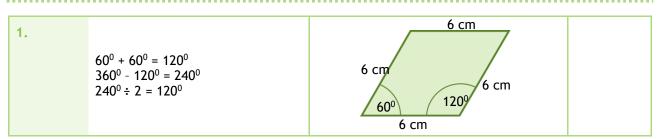


Larger S	Square:	Smaller Square:	Shaded area of smaller square:	
cm.	= 9 + 4 = 13 13 × 13 = 169	Area of one triangle = $9 \times 4 \div 2 = 18 \text{ cm}^2$. Area of 4 triangles = $4 \times 18 = 72 \text{ cm}^2$	= 169 - 72 = 97 cm ²	169 cm²

Geometry

Resource 1 - draw, compare and classify 2D shapes

	Workings out		Answers
1.	So far, 72 ⁰ + 72 ⁰ = 144 ⁰ . 360 ⁰ - 144 ⁰ = 216 ⁰ Other angle = 216 ⁰ ÷ 2 = 108 ⁰		108º
2.	Option 1 50° + 50° = 100° 180° - 100° = 80° Angles: 50°, 50°, 80°	Option 2 $180^{0} - 50^{0} = 130^{0}$ $130^{0} \div 2 = 65^{0}$ Angles: 50^{0} , 65^{0} , 65^{0}	
3.	A, C and E all have a right angle.	J , ,	A, C and E
4.	There are many of these, including reflex on ones, but here are a few.	es (R) and reflections or rotation	ons of given
5.	8 cm Check measurements for accuracy.	72 ⁰ 5 cm	
7. a.	The faint orange lines represent the diagona bisect each other at right angles. All four sid the same length.	es should measure	7
b.	There are many different trapeziums that ca they don't need to be isosceles, so long as th parallel lines.		V-_
8.	Opposite (adjacent) sides are equal. 4 cm + 4 20 cm - 8 cm = 12 cm, 12 cm ÷ 2 = 6 cm, so s cm, 6 cm, 6 cm. Best drawn using the line of help.	ides are: 4 cm, 4	



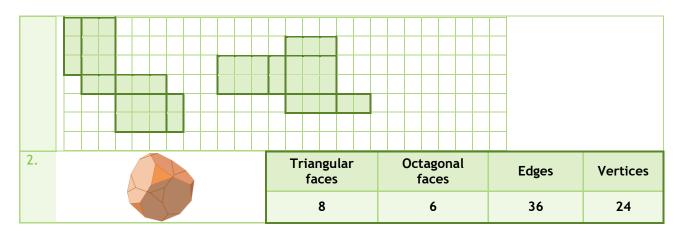
Resource 2 - recognise, describe and build simple 3D shapes answers

			Workings out			
1.					\bigcirc	
	Cul	boid	Triangular prism	Tr	riangle-based pyramid	Sphere
2.	Cube		Cuboid		Pe	ntagonal pyramid
		At le	east one square face		No sq	uare faces
3.	Curved face				Sphere Cone Cylinder	
	No curved faces	Cuboid Square-base Cube	ed pyramid		Tetrahedron Triangular prism Hexagonal prism	
4.			\Diamond			
			Number of faces	Num	nber of Vertices	Number of edges
	Cuboid		6		8	12
5.	Cylinder		3	0		2
J.	Tetrahedron					
			4		4	6
	Hexagona		8		12	18
	Hexagona Cube	ıl prism	· · · · · · · · · · · · · · · · · · ·		12 8	-
	Hexagona Cube Shape Pro	l prism	8		12 8 Name of shape	18
6	Hexagona Cube Shape Pro 6 rectango	operties ular faces, 12	8 6 edges and 8 vertices	C	12 8 Name of shape Cuboid	18
6.	Hexagona Cube Shape Pro 6 rectangu 1 curved f	operties ular faces, 12 face, 1 flat fa	8 6 2 edges and 8 vertices ace, 1 vertex and 1 edge	e C	12 8 Name of shape Cuboid Cone	18
6.	Hexagona Cube Shape Pro 6 rectango 1 curved f 7 flat face	operties ular faces, 12 face, 1 flat fa es, 15 edges a	8 6 edges and 8 vertices	e C	12 8 Name of shape Cuboid	18

1. Net C does not make the (3 by 2 by 1) rectangle.

There are many variations of the one rectangle either side of the 'four in a row' sequence. So the following three nets work; the first is the original net D.

Check that the child's net has three sets of matching paired rectangles, e.g. 2 lots of 3 by 1, 2 lots of 3 by 2 and 2 lots of 2 by 1. Here are two others:



Resource 3 - illustrate and name parts of the circle answers

	Workings out	Answers			
1.	Diameter = 2 × radius = 2 × 12 = 24 cm	D = 24 cm			
2.	Radius = Diameter \div 2 = 7 \div 2 = 3.5 m	R = 3.5 m			
3.	Radius Diameter				
4. a.	Diameter = 2 × radius = 2 × 9 = 18 cm	D = 18 cm			
b.	Diameter = 2 × radius, so 10 cm ÷ 2 = 5 cm	R = 5 cm			
C.	For 5 eggs she needs 36 cm × 5 = 180 cm	180 cm			
5.	Diameter = $2 \times \text{radius} = 2 \times 12 = 24 \text{ mm}$. 1 metre = 1000 mm . We need to find how many groups of 24 are in 1000. $1000 \div 24 = 41 \text{ r } 16$.	a. 41 10p coins			
	Dale can line up 41 coins. 10p coins = 41 × 10p = 410p = £4.10 2 4 1 r16 2 4 70 100 40				
6.	Diameter = $2 \times \text{radius} = 2 \times 14 = 28 \text{ mm} = \text{height of pile}$ Thickness of one coin = $28 \div 14 = 2 \text{ mm}$				

Challenge

1.	Smaller circle: diameter = 2 × radius = 2 × 6 = 12 cm Total length = 5 × 12 cm = 60 cm Larger circle: diameter = 60 cm ÷ 3 = 20 cm				
2.	We need the length of the square. Diameter = $2 \times \text{radius} = 2 \times 2 = 4 \text{ cm}$. Length = $3 \times 4 = 12 \text{ cm}$ Area of square = $12 \times 12 = 144 \text{ cm}^2$	144 cm²			

Resource 4 - recognise angles answers

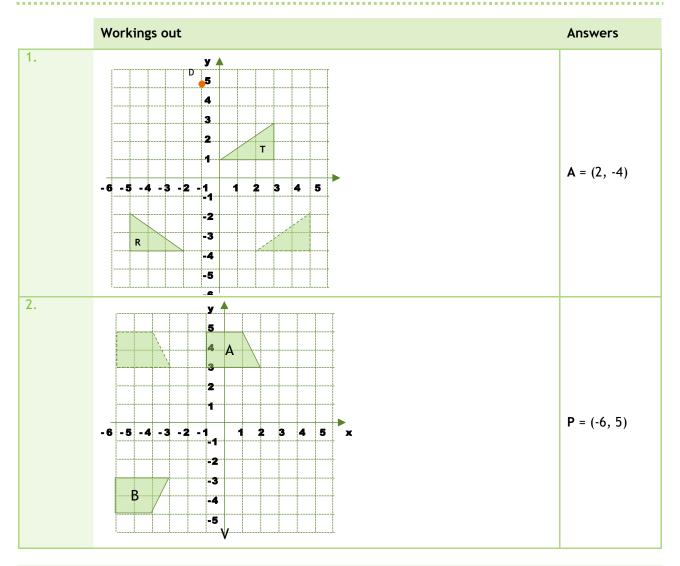
	Workings out	Answers
1. a.	Straight line = 180° So far $47^{\circ} + 92^{\circ} = 139^{\circ}$ $a^{\circ} = 180^{\circ} - 139^{\circ}$ $a^{\circ} = 41^{\circ}$	a = 41 ⁰

b.	So far 90 ⁰ + 61 ⁰ = 151 ⁰	
D.	$b^0 = 180^0 - 151^0$	b = 29 ⁰
	$b^0 = 180^{\circ} - 131^{\circ}$ $b^0 = 29^{\circ}$	D = 29°
	So far 180 ° - 70° =110°	
C.		c = 55 ⁰
	$c^{0} = 110^{0} \div 2$ [both angles equal] $c^{0} = 55^{0}$	c = 55°
2		
2.	We have 49 ⁰ + 74 ⁰ + 67 ⁰ = 190 ⁰ not 180 ⁰	No
3. a.	Full turn = 360 ⁰	
	So far $90^{\circ} + 116^{\circ} = 206^{\circ}$	d = 154 ⁰
	$d^0 = 360^0 - 206^0$	u 131
	$d^0 = 154^0$	
b.	Full turn = 360°	
	So far $114^0 + 143^0 + 72^0 = 329^0$	e = 31 ⁰
	$e^0 = 360^0 - 329^0$	
	$e^0 = 31^0$	
c.	So far 360° - 164° = 196°	5 400
	$f^0 = 196^0 \div 4$ [four equal angles, f^0]	f = 49°
	$f^0 = 49^0$	
4.	So far $90^{\circ} + 55^{\circ} + 55^{\circ} = 200^{\circ}$	$w = 160^{\circ}$
_	$\mathbf{w}^0 = 360^0 - 200^0 = 160^0$	
5.	The two unknown (equal) angles are: $180^{\circ} - 150^{\circ} = 30^{\circ}$.	
	So far, $90^{\circ} + 30^{\circ} + 30^{\circ} + 150^{\circ} = 300^{\circ}$	$x = 60^{\circ}$
	So, $x^0 = 360^\circ - 300^\circ$	
	$= 60^{0} [or 90^{0} - 30^{0} = 60^{0}]$	
6.	If the smaller angle is x^0 , then the larger angle is $2x^0$.	
	Angles around a point add up to 360° .	
	So, $x^0 + 2x^0 + 60^0 = 360^0$ $3x^0 + 60^0 = 360^0$ '-60°'	100°; 200°
	$3x^0 + 60^0 = 360^0 \dots -60^0$	
	$x^0 = 300^\circ$ $\div 3$ $x^0 = 100^\circ$; larger = 2 × 100° = 200°	
7.	$h = 130^{\circ}$, (vertically opposite)	
7.	$i = 180^{\circ}$ (vertically opposite)	
	= 145 ⁰	h = 130 ⁰
	Third angle in triangle is 180° - (35° + 130°)	i = 145 ⁰
	$= 180^{\circ} - 165^{\circ}$	j = 15 ⁰
	= 15° . $j^{\circ} = 15^{\circ}$ (vertically opposite)	
8.	s ⁰ = 180 ⁰ - 130 ⁰ = 50 ⁰	s = 50°
·	$t^0 = 180^\circ - (90^\circ + 50^\circ) = 40^\circ$	$t = 40^{\circ}$
	$u^0 = 180^\circ - (40^\circ + 75^\circ) = 65^\circ$	u = 65°
	$v^0 = 180^\circ - (90^\circ + 65^\circ) = 25^\circ$	$v = 25^{\circ}$
	, ,	

Isosceles triangle with the two base angles, **a**⁰ equal.

1.	Isosceles triangle with the two base angles, \mathbf{a}^0 equal. So, 180^0 - 82^0 = 98^0 \mathbf{a}^0 = $98^0 \div 2$ (equal angles) \mathbf{a}^0 = 49^0	a ⁰ = 49 ⁰	
	Three angles of 82^{0} and three angles of b^{0} around a point. $82^{0} + 82^{0} + 82^{0} = 246^{0}$ $360^{0} - 246^{0} = 114^{0}$ $b^{0} = 114^{0} \div 3$ $b^{0} = 38^{0}$	b ⁰ = 38 ⁰	

Resource 1 - draw, translate and reflect shapes in all four quadrants answers:



1.	a.	(2, 5) translates 3 units to the left to give (-1, 5).					
	b.	(0, -2) translates 2 up to give (0, 0).					
	c.	(-4, 1) reflects in the (a) x-axis to give (-4-1).					
	i.	x-axis to give (-4-1).	ii.	y-axis to give (4, 1).			

Statistics

Resource 1 - interpret and construct pie charts and line graphs

				Answers				
1.		A B C 3 9 6	BAC					
2.		Pie chart 1 = statement 2, pie chart 2 = statement 3, pie chart 3 = statement 4, pie chart 4 = statement 1						
3.	a.	a. Joe first stopped at	7am.			7am		
	b.	He travelled 15 kilom	etres in the first hour	•		15		
	c.	By 9 am, he had trave	lled 35 kilometres.			35		
	d.	He shopped for 1 hou	r.			1 hour		
	e.	He returned home tak	ing 1½ hours.			1½ hours		
	f.	His whole outing took	5½ hours.			51⁄2		
4.	a.	Highest temperature	= 19ºC			19°C		
	b.	Below 14ºC for 3 hour	3 hours					
	c.	$2 \times 7^{\circ}$ C = 14° C, so 4pn	า			4pm		
	d.	7pm - 8pm = (18 - 15	= 3 ⁰ C)			7pm - 8pm		
5.	a.	50 ice-creams sold in	March			50 ice- creams		
	b.	150 - 50 = 100 more i	ce-creams			100 more ice-creams		
	c.	Anything less than 50	to follow the trend.			50		
		Flavour	Frequency	Angle				
		Beef	14 × 9	126°				
6.	Chicken 10 × 9 90° Plain							
	Cheese and Onion 5 × 9 45° Plain 11× 9 99°				and	Beef		
		Plain	Cheese and					
		M	Chi	cken				

1.	a.	2 out of 12 fail = $\frac{1}{6}$ = 8. So altogether = 6 × 8 = 48 girls						40 girls passed	
		10 out of 1	10 out of 12 pass = $\frac{5}{6}$ $\frac{5}{6}$ of 48 = 48 ÷ 6 × 5 = 8 × 5 = 40 passed						
	b.	5 out of 12	5 out of 12 boys fail = $\frac{5}{12}$ of 48 = 48 ÷ 12 × 5 = 20 boys failed						20 boys failed
2.		Adding up	Adding up the total for day:						
			7am 9am 11am 1pm 3pm 5pm						Total
		Thursday	Thursday 350 300 600 700 400 400						2750
		Saturday 400 300 700 300 700 600						600	3000
		Saturday was warmer as more water was drunk during that day.							

Statistics: answers

Resource 2 - using the mean answers

	Workings out	Answers
1. a	Mean = $(4 + 6 + 3 + 7) \div 4 = 20 \div 4 = 5$	5
b	Mean = $(3 + 8 + 8 + 4 + 7) \div 5 = 30 \div 5 = 6$	6
С	Mean = $(1 + 0 + 9 + 6 + 4 + 10) \div 6 = 30 \div 6 = 5$	5
2.	Mean = $(18 + 20 + 17 + 15 + 14 + 12) \div 6 = 96 \div 6 = 16$	16°C
3.	Total = 2 × 8 = 16 Other number = 16 - 5 = 11	11
4.	Total = 2 × 3 = 6. So, both numbers have to add up to 6. 1 and 5; 2 and 4; 3 and 3; 0 and 6	1 and 5; 2 and 4; 3 and 3; 0 and 6
5.	Mean = $(8 + 12 + 7 + 13) \div 4 = 40 \div 4 = 10$	10
6.	Total = 3 × 7 = 21. So far 4 + 4 = 8. Third number = 21 - 8 = 13	13
7.	Total = $4 \times 12 = 48$. So far, we have $14 + 9 + 11 = 34$. Mike needs to score $48 - 34 = 14$ points in the fourth quarter.	14 points
8.	Total = 4 × 6 = 24. So far, we have 4 + 7 + 3 = 14. Missing number is 24 - 14 = 10	10
9.	Total = $5 \times 11 = 55$. So far, we have $2 \times 14 = 28$. Remaining 3 numbers add up to $55 - 28 = 27$. Mean = $27 \div 3 = 9$	9
10.	Total of seven numbers = $7 \times 3 = 21$ Total of five numbers = $5 \times 15 = 75$ Total of all twelve numbers = $21 + 75 = 96$ Mean of all twelve numbers = $96 \div 12 = 8$	8

1.	Putting the results into a table.							
	Age in years	No. of children	Total	Mean = 200 ÷ 50 = 4				
	1	4	1 × 4 = 4	Medii - 200 : 30 - 4				
	2	8	2 × 8 = 16					
	3	5	3 × 5 = 15					
	4	12	4 × 12 = 48					
	5	9	5 × 9 = 45					
	6	12	6 × 12 = 72					
		50	200					